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 $\Theta[K\_] := \text{Module} \left[ \{Cs, \varphi, n, A, \Delta, G, ev, \theta\}, \right.$ 
 $\{Cs, \varphi\} = \text{Rot}[K]; n = \text{Length}[Cs];$ 
 $A = \text{IdentityMatrix}[2n + 1];$ 
 $\text{Cases}\left[Cs, \{s\_, i\_, j\_\} \Rightarrow \right.$ 
 $\left( A[[i, j], [i + 1, j + 1]] += \begin{pmatrix} -T^s & T^s - 1 \\ 0 & -1 \end{pmatrix} \right) \right];$ 
 $\Delta = T^{(-\text{Total}[\varphi] - \text{Total}[Cs[[All, 1]]]) / 2} \text{Det}[A];$ 
 $G = \text{Inverse}[A];$ 
 $ev[\mathcal{E}\_] :=$ 
 $\text{Factor}[\mathcal{E} /. g_{v\_, \alpha\_, \beta\_\_} \Rightarrow (G[[\alpha, \beta]] /. T \rightarrow T_v)];$ 
 $\theta = ev \left[ \sum_{k1=1}^n \sum_{k2=1}^n R_{12}[Cs[[k1]], Cs[[k2]]] \right];$ 
 $\theta += ev \left[ \sum_{k=1}^n R_{11}[Cs[[k]]] \right];$ 
 $\theta += ev \left[ \sum_{k=1}^{n^2} \Gamma_1[\varphi[[k]], k] \right];$ 
 $\text{Factor}@$ 
 $\left. \{\Delta, (\Delta /. T \rightarrow T_1), (\Delta /. T \rightarrow T_2), (\Delta /. T \rightarrow T_3), \theta\} \right];$ 

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