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QZip $_{\zeta s\_List, simp\_}$ @ $\mathbb{E}[L\_ , Q\_ , P\_]$  :=
Module [ { $\zeta$ ,  $z$ ,  $zs$ ,  $c$ ,  $ys$ ,  $\eta s$ ,  $qt$ ,  $zrule$ ,  $Q1$ ,  $Q2$ },
   $zs = \text{Table}[\zeta^*, \{\zeta, \zeta s\}]$ ;
   $c = Q /. \text{Alternatives} @@ (\zeta s \cup zs) \rightarrow 0$ ;
   $ys = \text{Table}[\partial_{\zeta} (Q /. \text{Alternatives} @@ zs \rightarrow 0), \{\zeta, \zeta s\}]$ ;
   $\eta s = \text{Table}[\partial_z (Q /. \text{Alternatives} @@ \zeta s \rightarrow 0), \{z, zs\}]$ ;
   $qt = \text{Inverse@Table}[K\delta_{z, \zeta^*} - \partial_{z, \zeta} Q, \{\zeta, \zeta s\}, \{z, zs\}]$ ;
   $zrule = \text{Thread}[zs \rightarrow qt. (zs + ys)]$ ;
   $Q2 = (Q1 = c + \eta s.zs /. zrule) /. \text{Alternatives} @@ zs \rightarrow 0$ ;
   $simp /@ \mathbb{E}[L, Q2, \text{Det}[qt] e^{-Q2} \text{Zip}_{\zeta s}[e^{Q1} (P /. zrule)]]$ ];
QZip $_{\zeta s\_List} := \text{QZip}_{\zeta s, CF}$ ;

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