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QZip $\zeta_S$ _List, simp_ @  $\mathbb{E}$  [  $L$ _,  $Q$ _,  $P$ _ ] :=
Module [ {  $\zeta$ ,  $z$ ,  $z_S$ ,  $c$ ,  $y_S$ ,  $\eta_S$ ,  $qt$ ,  $zrule$ ,  $Q1$ ,  $Q2$  },
   $z_S$  = Table [  $\zeta^*$ , {  $\zeta$ ,  $\zeta_S$  } ];
   $c$  =  $Q$  /. Alternatives @@ (  $\zeta_S \cup z_S$  )  $\rightarrow \emptyset$ ;
   $y_S$  = Table [  $\partial_\zeta (Q$  /. Alternatives @@  $z_S \rightarrow \emptyset)$ , {  $\zeta$ ,  $\zeta_S$  } ];
   $\eta_S$  = Table [  $\partial_z (Q$  /. Alternatives @@  $\zeta_S \rightarrow \emptyset)$ , {  $z$ ,  $z_S$  } ];
   $qt$  = Inverse@Table [  $K\delta_{z, \zeta^*} - \partial_{z, \zeta} Q$ , {  $\zeta$ ,  $\zeta_S$  }, {  $z$ ,  $z_S$  } ];
   $zrule$  = Thread [  $z_S \rightarrow qt$  . (  $z_S + y_S$  ) ];
   $Q2$  = (  $Q1 = c + \eta_S.z_S$  /.  $zrule$  ) /. Alternatives @@  $z_S \rightarrow \emptyset$ ;
   $simp$  /@  $\mathbb{E}$  [  $L$ ,  $Q2$ , Det [  $qt$  ]  $e^{-Q2}$  Zip $\zeta_S$  [  $e^{Q1}$  (  $P$  /.  $zrule$  ) ] ] ];
QZip $\zeta_S$ _List := QZip $\zeta_S$ , CF;

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