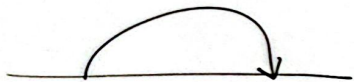




$I_{\mathfrak{g}} = \mathfrak{g} \oplus \mathfrak{g}^*$  with trivial cobracket

$$T_{I_{\mathfrak{g}}} : (D); 1 \longrightarrow U(I_{\mathfrak{g}})^{\otimes n}$$

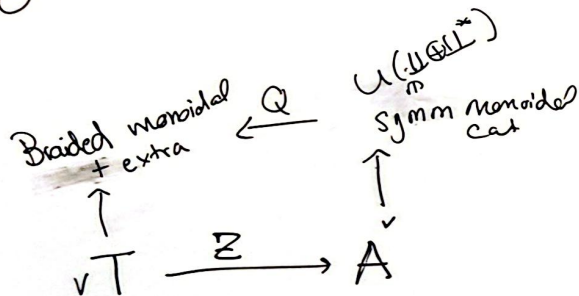
$$D \in A^w(T_n) =$$



$$\begin{aligned} b: 1 &\longrightarrow \mathfrak{g} \otimes \mathfrak{g}^* \\ \Downarrow \\ \text{id}: \mathfrak{g} &\longrightarrow \mathfrak{g} \end{aligned}$$

$$vT / \sim = wT$$

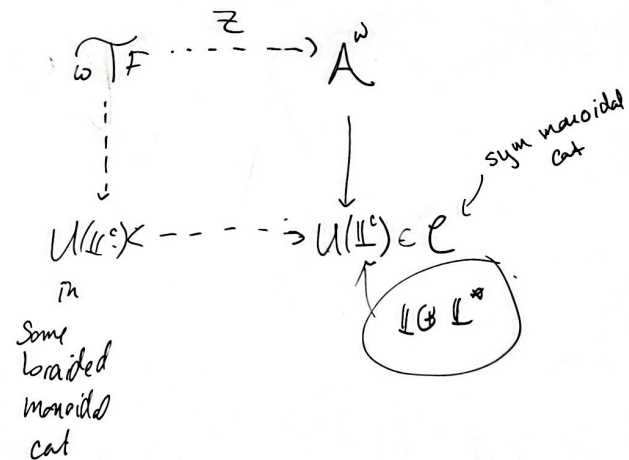
	Topology	Assoc graded	Lie algebras
w	$(X=X)$	$\begin{matrix} \rightarrow & \rightarrow \\ \rightarrow & \rightarrow \end{matrix} = \begin{matrix} \rightarrow & \rightarrow \\ \rightarrow & \rightarrow \end{matrix}$	$\mathfrak{g}^*$ abelian / cobracket trivial
v	no such thing	no such relation	Lie bialgebras (of some flavour)



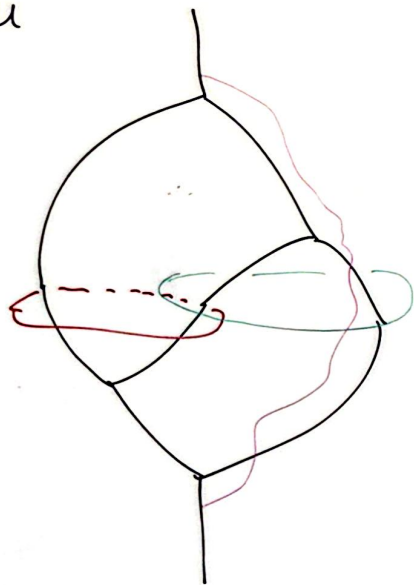
Let  $U^c =$  universal Casimir Lie algebra object in some (nice) base category  $\mathcal{C}$

Thm. (Hitchin-Vaintrob): There is an isomorphism of Hopf algebras  $A \longrightarrow U(U^c)$

$$\begin{aligned} \text{Hom}_{\mathfrak{g}\text{-mod}}(1, U(\mathfrak{g})) \\ = Z(U(\mathfrak{g})) \end{aligned}$$



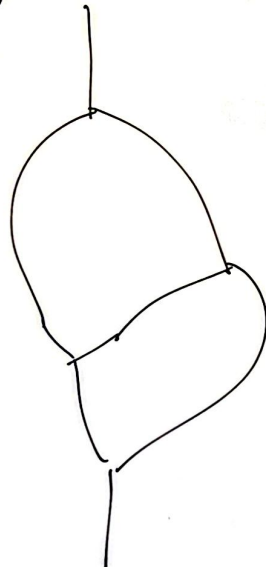
u



$\Rightarrow$  Goldman

$\Rightarrow$  Turaev

w



also ok

$\sigma \oplus \sigma^* - \mathbb{Z} \sigma$



$\delta_{\text{Turaev}}$  or  $\delta_{gr}$

Answer