

```
In[*]:= SetDirectory["C:\\drorbn\\AcademicPensieve\\Projects\\HigherRank"];  
<< theta.m
```

Loading Rot.m from <http://drorbn.net/AP/Projects/HigherRank> to compute rotation numbers.

```
In[*]:= p =  $\theta$ [GST48][[2]]  
T1 = T1; T2 = T2;
```

```
In[*]:= Exponent[p, T1, Min]
```


```
Out[*]=  
-2 $\theta$ 
```

```
In[*]:= crs = CoefficientRules[T1m1=-Exponent[p,T1,Min] T2m2=-Exponent[p,T2,Min] p, {T1, T2}]
```


```
In[*]:= max = Max@Abs[Last /@ crs]
```

```
Out[*]=  
1 $\theta$ 56
```


```
In[*]:= CMYKColor[1,  $\theta$ ,  $\theta$ ,  $\theta$ ]
```

```
Out[*]=  

```

```
In[*]:= Lighter[Blue, 0.2]
```

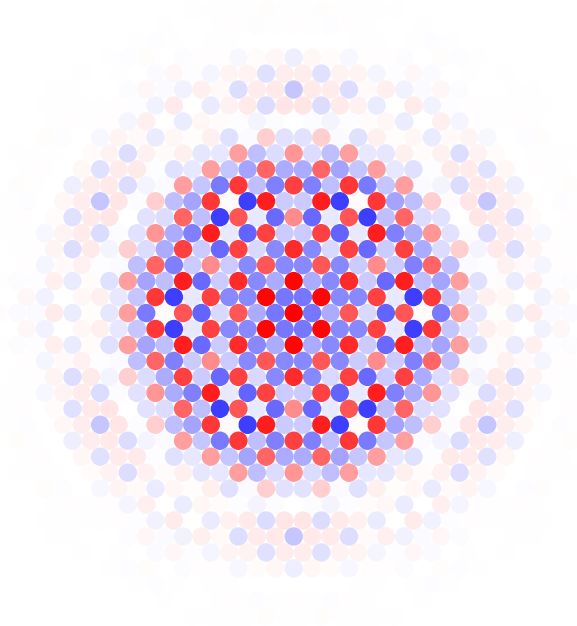
```
Out[*]=  

```

```
In[*]:= Lighter[Blue, 0.8]
```

```
Out[*]=  

```

```
In[*]:= Graphics[crs /. ({x1_, x2_} → c_) ⇒ {  
  Which[c == 0, White, c > 0, Lighter[Red, 1 - c / max], c < 0, Lighter[Blue, 1 + c / max]],  
  Disk[ $\begin{pmatrix} 1 & -1/2 \\ 0 & \sqrt{3}/2 \end{pmatrix} \cdot \{x1 + m1, x2 + m2\}, 0.5$ ]}]
```

Out[*]=



```

In[*]:= hex = Table[{Cos[α], Sin[α]} / Cos[2 π / 12] / 2, {α, 2 π / 12, 2 π, 2 π / 6}];
PolyPlot__[0] = Graphics[{}];
PolyPlotT1,T2[p_] := PolyPlotHexagon,T1,T2[p]
PolyPlotshape_,T1,T2[p_] := Module[{crs, m1, m2, maxc, minc, s},
  crs = CoefficientRules[T1m1=-Exponent[p,T1,Min] T2m2=-Exponent[p,T2,Min] p, {T1, T2}];
  maxc = Max@Abs[Last /@ crs];
  minc = Min@Select[Abs[Last /@ crs], # > 0 &];
  If[minc == maxc,
    s[_] = 0,
    s[c_] := s[c] =
      N[Interpolation[{{Log@minc, 1}, {Log@maxc, 0}}, InterpolationOrder → 1][Log@c]]];
  Graphics[crs /. ({x1_, x2_} → c_) ⇒ {
    If[c == 0, White, Lighter[If[c > 0, Red, Blue], 0.88 s[Abs@c]]],
    Switch[shape,
      Disk, Disk[ $\left(\begin{matrix} 1 & -1/2 \\ 0 & \sqrt{3}/2 \end{matrix}\right) \cdot \{x1 + m1, x2 + m2\}, 0.5]$ ,
      Hexagon, Polygon[ $\left(\left(\begin{matrix} 1 & -1/2 \\ 0 & \sqrt{3}/2 \end{matrix}\right) \cdot \{x1 + m1, x2 + m2\} + \# \right) \& /@ hex$ ]
    ]
  ]
]

```

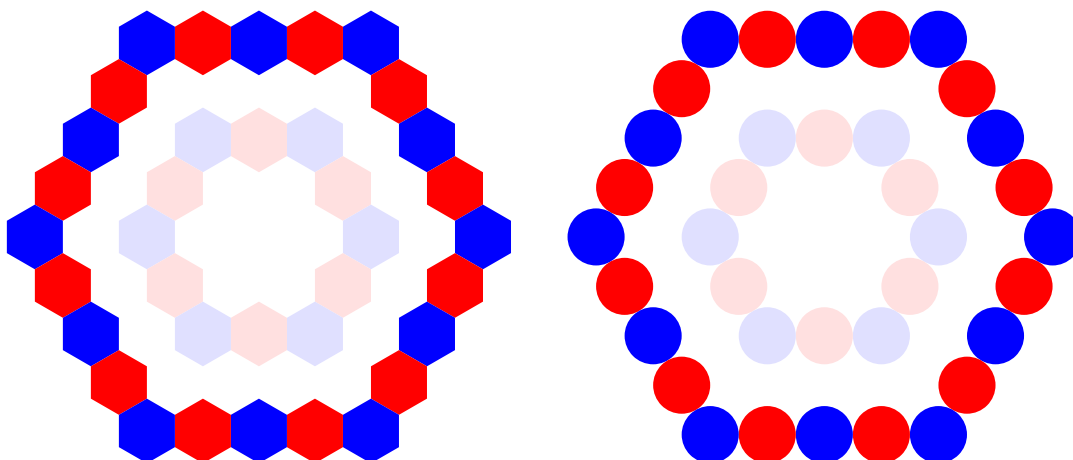
```

In[*]:= GraphicsRow[{PolyPlotHexagon,T1,T2[θ[Knot[5, 1]][[2]]], PolyPlotDisk,T1,T2[θ[Knot[5, 1]][[2]]]}]

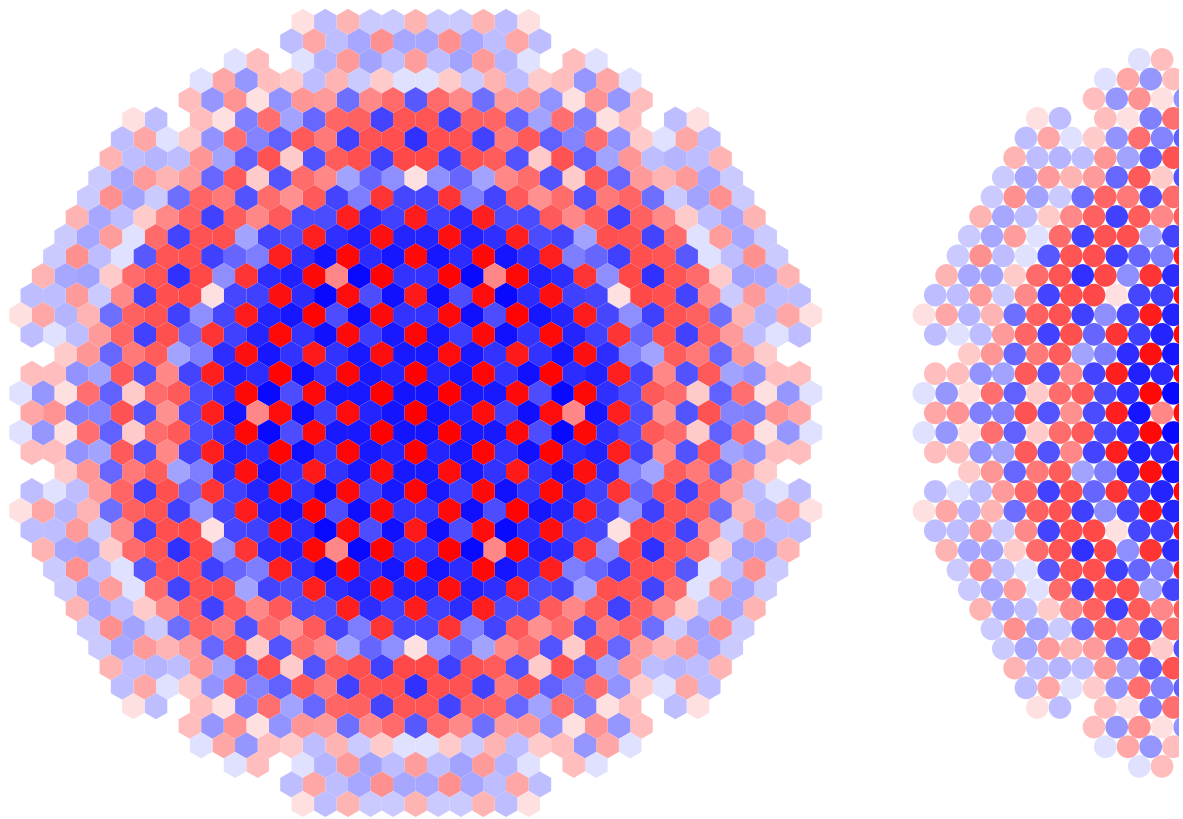
```

 KnotTheory: Loading precomputed data in PD4Knots`.

Out[*]=

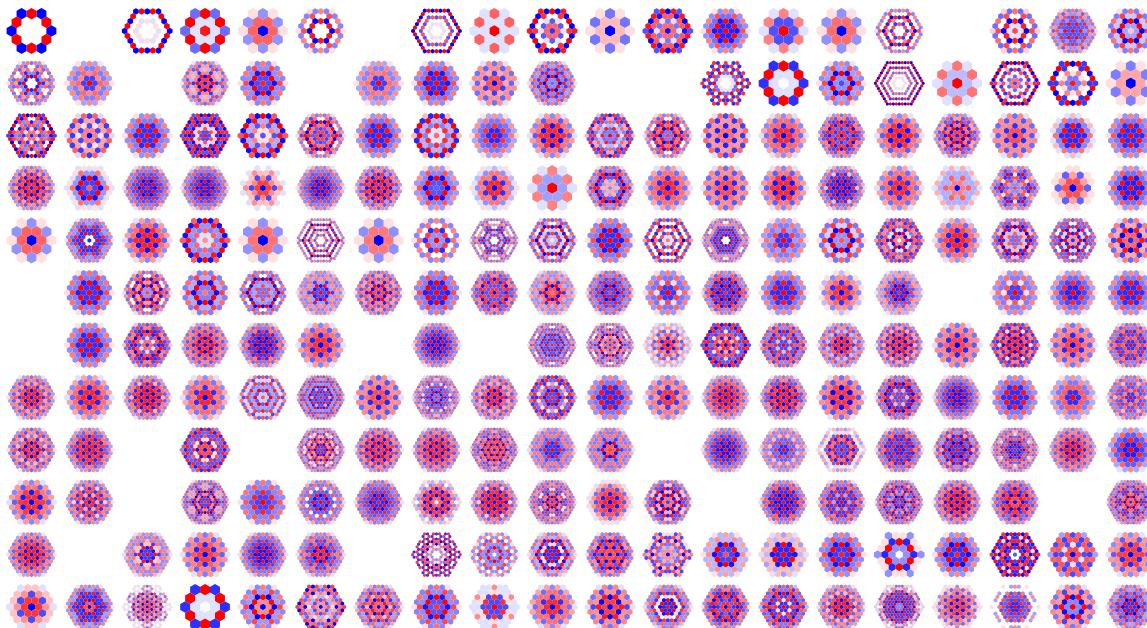


```
In[ ]:=  $\theta 48 = \theta[\text{GST48}][[2]]$ ; GraphicsRow[ { PolyPlotHexagon, T1, T2 [ $\theta 48$ ], PolyPlotDisk, T1, T2 [ $\theta 48$ ] } ]  
Out[ ]:=
```



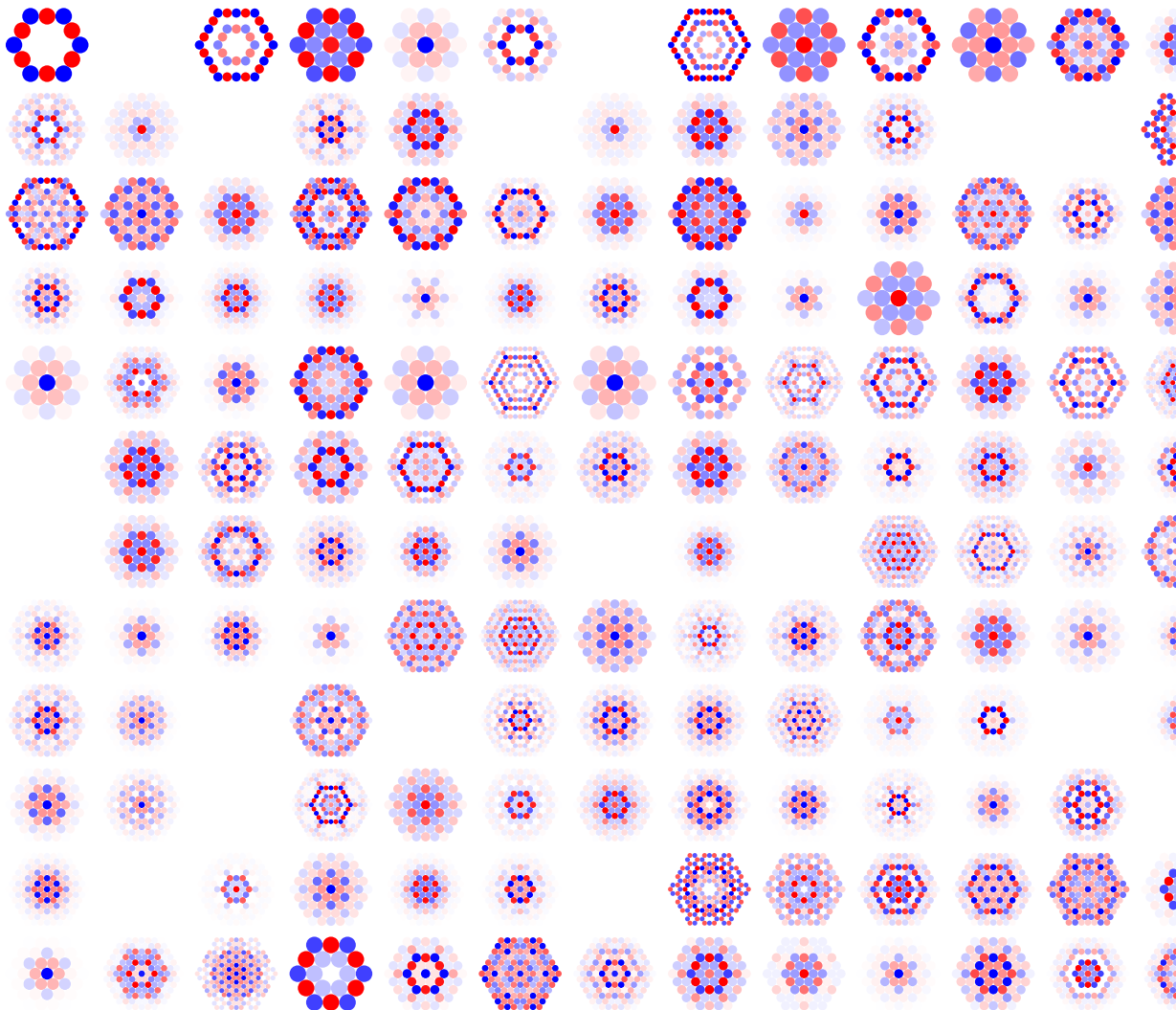
```
In[ ]:= GraphicsGrid[Partition[Table[PolyPlotHexagon, T1, T2[ $\Theta$ [K][2]], {K, AllKnots[{3, 10}]}], 20]]
```

Out[]=



```
In[ ]:= GraphicsGrid[Partition[Table[PolyPlotDisk, T1, T2[ $\theta$ [K][[2]]], {K, AllKnots[{3, 10}]}], 20]]
```

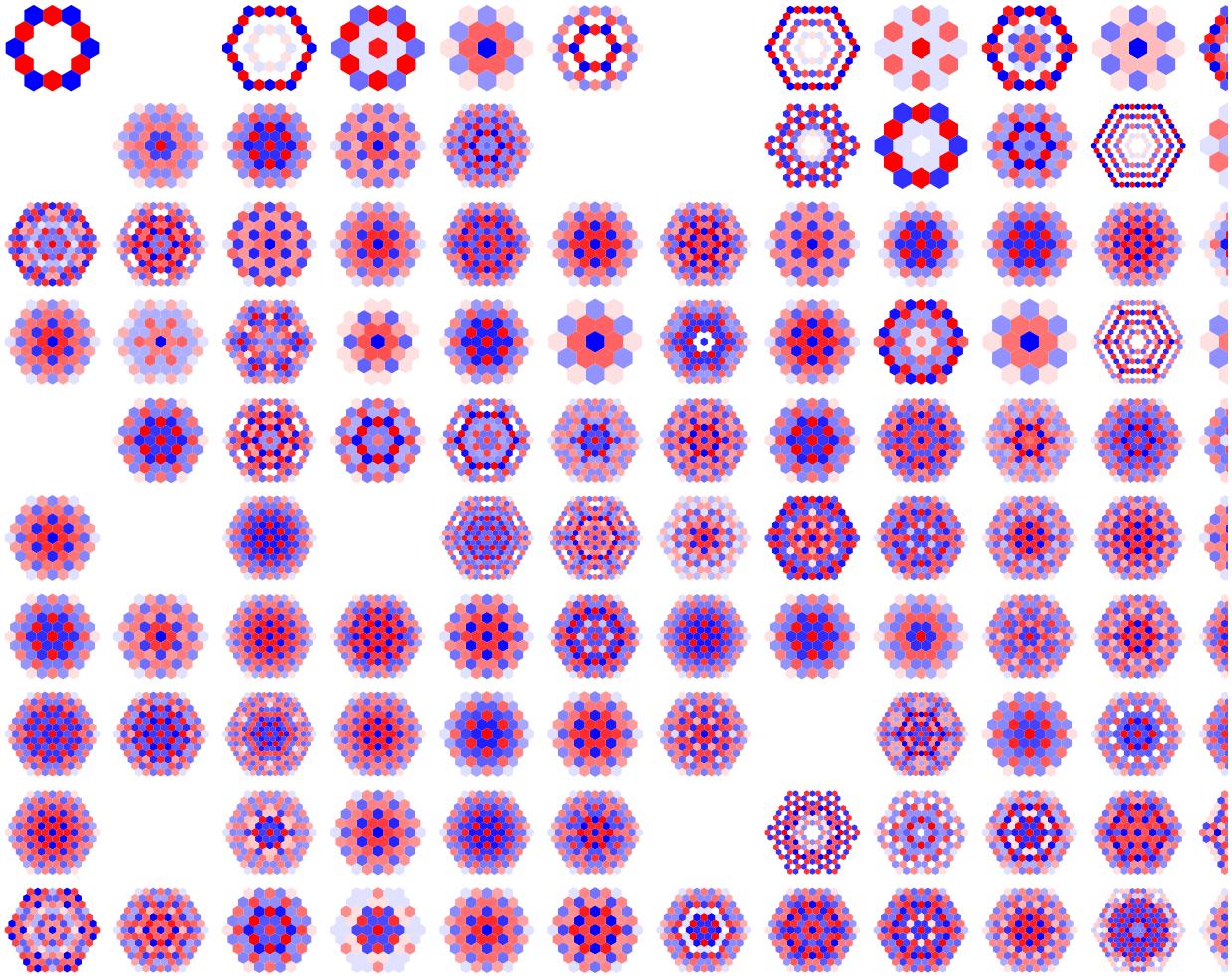
Out[]:=



```
In[ ]:= tab250 = Table[ $\theta$ [K][[2]], {K, AllKnots[{3, 10}]}] ~ Join ~ {0};
```

```
In[ ]:= g250 = GraphicsGrid[Partition[PolyPlotHexagon, T1, T2 /@ tab250, 25]]
```

Out[]=



```
In[ ]:= Export["g250.png", g250, ImageSize -> 2400]
```

Out[]=

g250.png

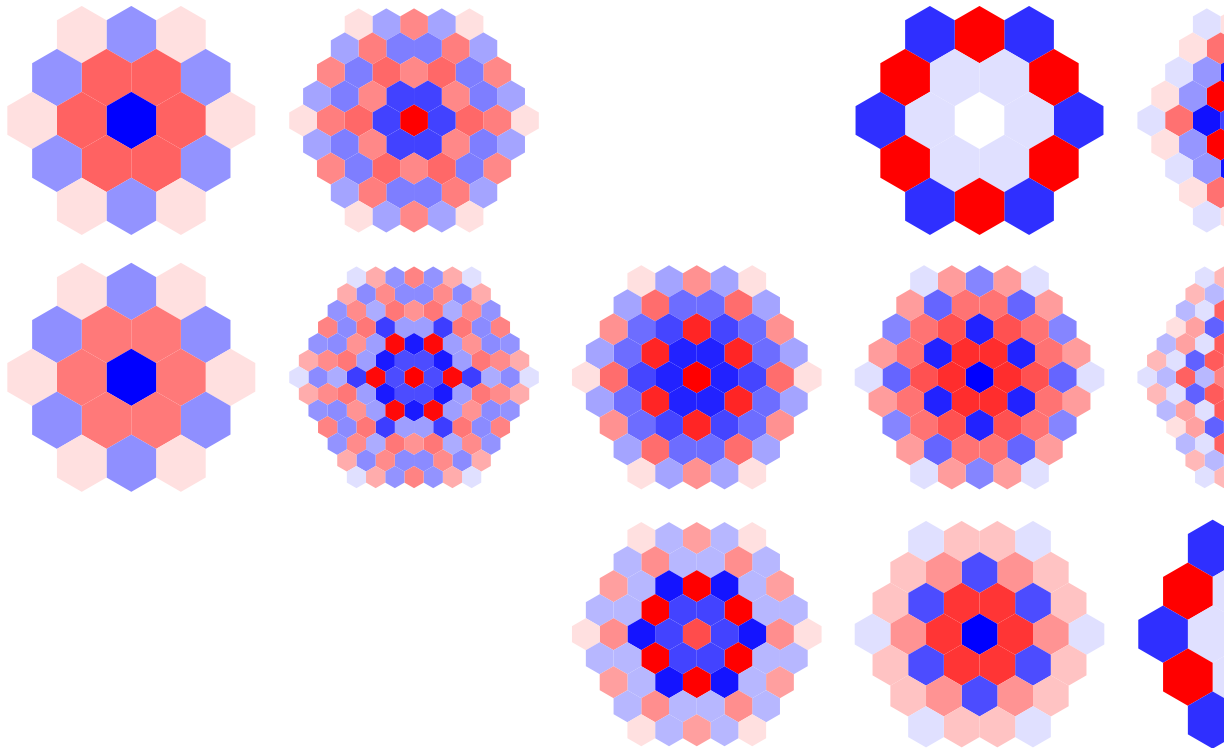
```
In[ ]:= Length[
```

```
ribbs = Table[θ[K][[2]], {K, {Knot[6, 1], Knot[8, 8], Knot[8, 9], Knot[8, 20], Knot[9, 27],
Knot[9, 41], Knot[9, 46], Knot[10, 3], Knot[10, 22], Knot[10, 35], Knot[10, 42],
Knot[10, 48], Knot[10, 75], Knot[10, 87], Knot[10, 99], Knot[10, 123],
Knot[10, 129], Knot[10, 137], Knot[10, 140], Knot[10, 153], Knot[10, 155]}}]}
```

Out[]=

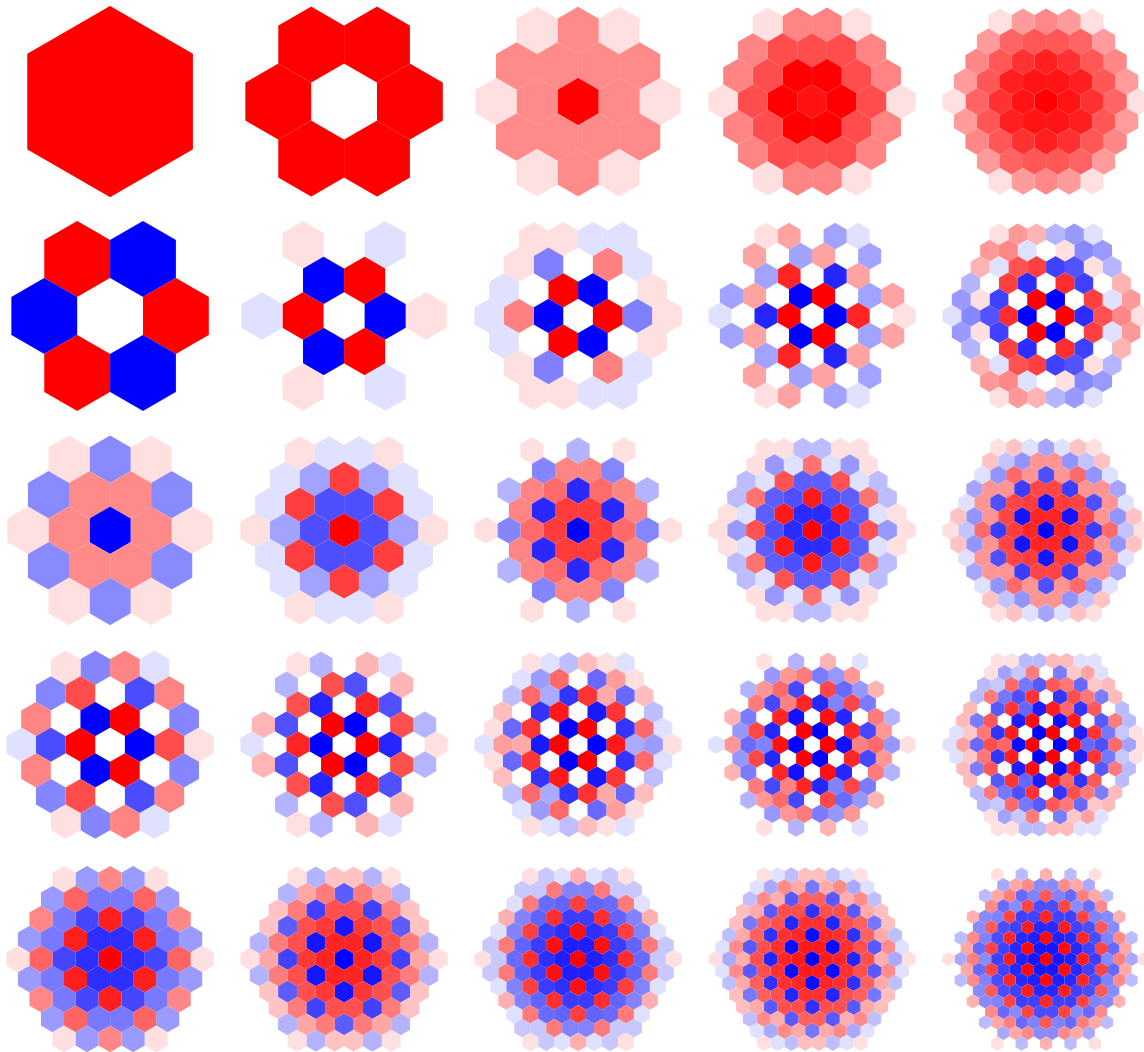
21

```
In[ ]:= GraphicsGrid[Partition[PolyPlotHexagon, T1, T2 /@ ribbs, 7]]  
Out[ ]=
```

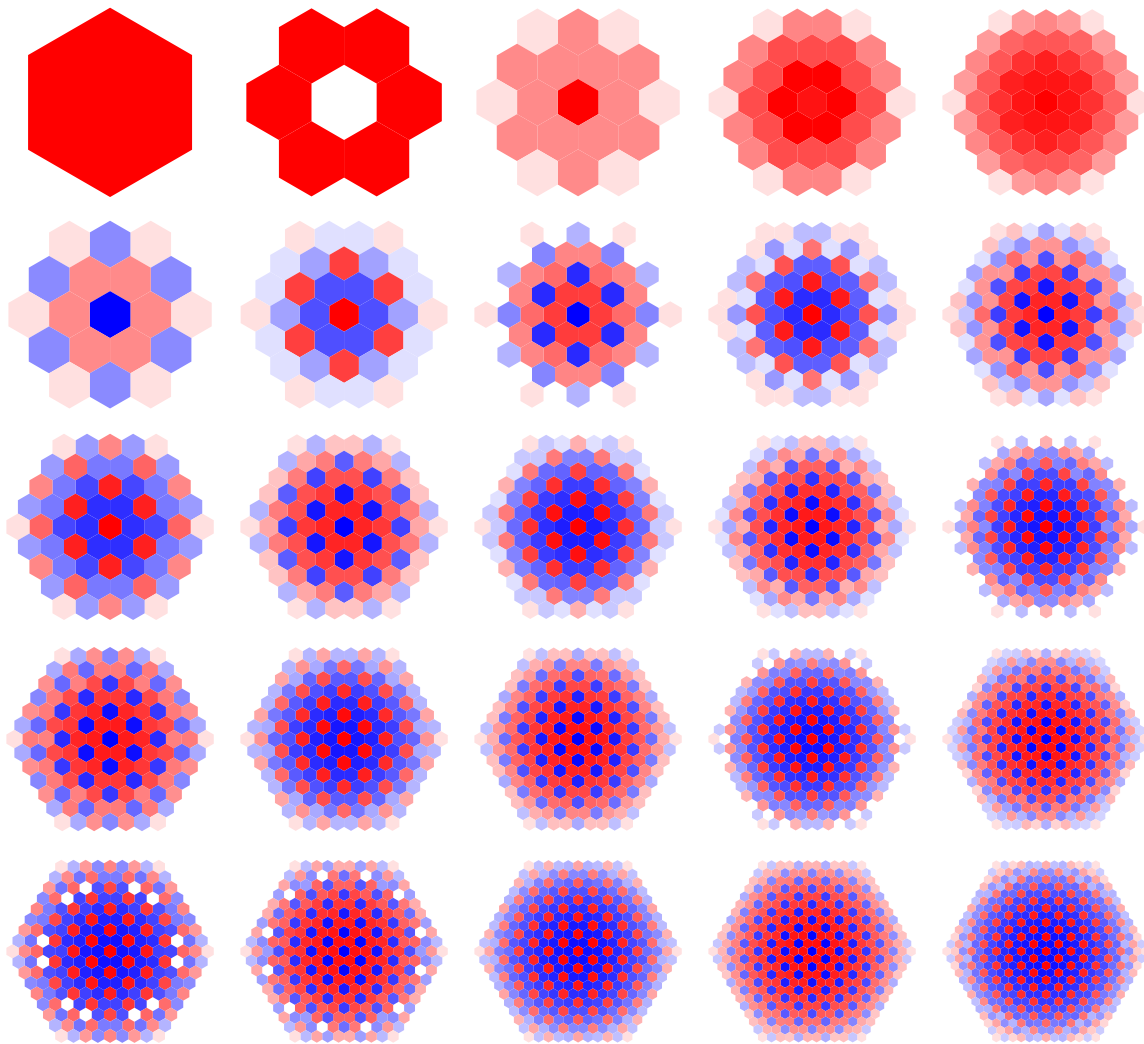



```
In[*]:= w = T1 + T2 + T3 + T1-1 + T2-1 + T3-1; (* T1 (1+T2) *)
z = T1 + T2 - T3 - T1-1 - T2-1 + T3-1; (* T1 (1-T2) *)
GraphicsGrid@Table[PolyPlotHexagon,T1,T2[ziwj], {i, 0, 4}, {j, 0, 4}]
```

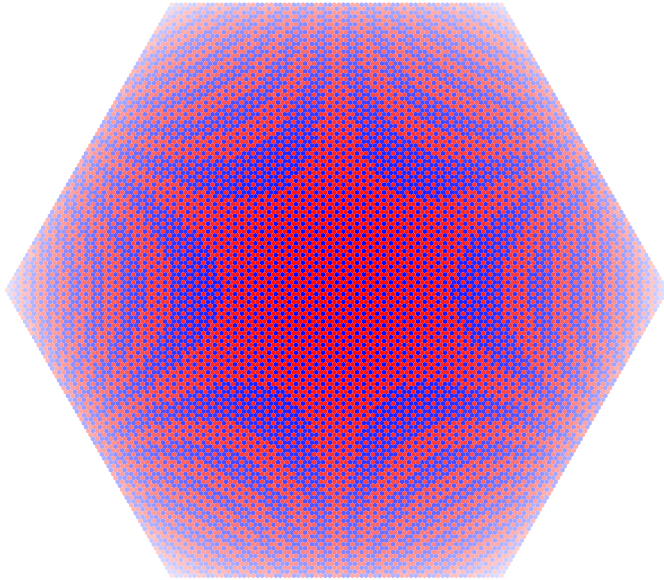
Out[*]=



```
In[*]:= GraphicsGrid@Table[PolyPlotHexagon, T1, T2[z2i wj], {i, 0, 4}, {j, 0, 4}]  
Out[*]=
```



```
In[ ]:= PolyPlotHexagon, T1, T2 [z40 w33]  
Out[ ]:=
```



```
In[ ]:= PolyPlotHexagon, T1, T2 [ (Theta4DK240 =  $\theta$ [DK[240]] ) [[2]] ]
```

```
In[ ]:= Put [Theta4DK240, "Theta4DK240.m"]
```

```
In[ ]:= PolyPlotHexagon, T1, T2 [ $\theta$ [DK[250]] [[2]] ]
```