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LZip $\zeta\mathcal{S}$ _List@E[L_, Q_, P_] :=
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Module[{ $\zeta$ , z, zs, Zs, c, ys,  $\eta\mathcal{S}$ , lt, zrule, Zrule,  $\zeta$ rule, Q1, EEQ, EQ},  
  zs = Table[ $\zeta^*$ , { $\zeta$ ,  $\zeta\mathcal{S}$ }}];  
  Zs = zs /. {b  $\rightarrow$  B, t  $\rightarrow$  T,  $\alpha \rightarrow$   $\mathcal{A}$ };  
  c = L /. Alternatives @@ ( $\zeta\mathcal{S} \cup$  zs)  $\rightarrow$  0 /. Alternatives @@ Zs  $\rightarrow$  1;  
  ys = Table[ $\partial_{\zeta}$ (L /. Alternatives @@ zs  $\rightarrow$  0), { $\zeta$ ,  $\zeta\mathcal{S}$ }}];  
   $\eta\mathcal{S}$  = Table[ $\partial_z$ (L /. Alternatives @@  $\zeta\mathcal{S} \rightarrow$  0), {z, zs}}];  
  lt = Inverse@Table[K $\delta_{z, \zeta^*} - \partial_{z, \zeta}L$ , { $\zeta$ ,  $\zeta\mathcal{S}$ }, {z, zs}}];  
  zrule = Thread[zs  $\rightarrow$  lt.(zs + ys)];  
  Zrule =  
    Join[zrule,  
      zrule /.  
        r_Rule  $\Rightarrow$  ((U = r[[1]] /. {b  $\rightarrow$  B, t  $\rightarrow$  T,  $\alpha \rightarrow$   $\mathcal{A}$ })  $\rightarrow$  (U /. U21 /. r //. 12U))];  
   $\zeta$ rule = Thread[ $\zeta\mathcal{S} \rightarrow \zeta\mathcal{S} + \eta\mathcal{S}.$ lt];  
  Q1 = Q /. (Zrule  $\cup$   $\zeta$ rule);  
  EEQ[ps___] :=  
    EEQ[ps] =  
      (CF[e-Q1 DThread[{zs, {ps}}]][eQ1]) /.  
        {Alternatives @@ zs  $\rightarrow$  0, Alternatives @@ Zs  $\rightarrow$  1});  
  CF@E[c +  $\eta\mathcal{S}.$ lt.y $\mathcal{S}$ , Q1 /. {Alternatives @@ zs  $\rightarrow$  0, Alternatives @@ Zs  $\rightarrow$  1},  
  Det[lt]  
  (Zip $\zeta\mathcal{S}$ [(EQ @@ zs) (P /. (Zrule  $\cup$   $\zeta$ rule))]) /.  
  Derivative[ps___][EQ][___]  $\Rightarrow$  EEQ[ps] /. _EQ  $\rightarrow$  1 ] ]];
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