

The Funny Differential

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$$F(x+y) = \text{ch}(x,y),$$

I still don't understand $\tilde{\delta}^0$ $j(F) \in \text{im}(\tilde{\delta})$.

$$\begin{aligned} (\tilde{\delta}f)(x_1, \dots, x_{n+1}) &= f(x_2, x_3, \dots, x_{n+1}) \\ &+ \sum_{i=1}^n (-1)^i f(x_1, \dots, \text{ch}(x_i, x_{i+1}), \dots, x_{n+1}) \\ &+ (-1)^{n+1} f(x_1, \dots, x_n). \end{aligned}$$

"on lie_n and tr_n"

Is $\tilde{\delta} = " \delta \text{ in Euler coordinates}" ?$
No. δ commutes with E.

Is $j = " t-b \text{ in Euler coordinates}" ?$