

$\lambda = \lambda^{-1}$   
 $\lambda = \lambda^{-1}$   
 $\lambda = \lambda^{-1}$   
 etc.

Lou Kauffman on the closest he gets to an R-matrix formulation of the arrow poly.  $\int da = d = -A^2 - A^{-2}$

$\lambda_{ab} \lambda_{bc} = \delta_{ac}$   
 $\lambda_{ab} \neq \lambda_{ba}$   
 $\delta_{ab} = \delta_{ba} = \delta_a = \delta_b, \delta_{ab} \delta_{bc} = \delta_{ac}$

$R_{cd}^{ab} = A \delta_c^a \delta_d^b + A^{-1} \lambda_{cd} \lambda^{ab}$

$\lambda^{ba} \lambda_{ab} = \lambda_{ab} \lambda^{ab} = K \cdot 1$

This abstract tensor is a solution to YBE. This is as close as I come just now to R-matrices. But there may be much more at abstract tensor level.