

If tails commute, they needn't be ordered in the first place. Develop a new language for A^w in which this is manifest. Is it related, or can it be made related, to the "acrobats" appearing in deformation quantization?

study

Lectures on the dynamical Yang-Baxter equations

Authors: [Pavel Etingof](#), [Olivier Schiffmann](#)

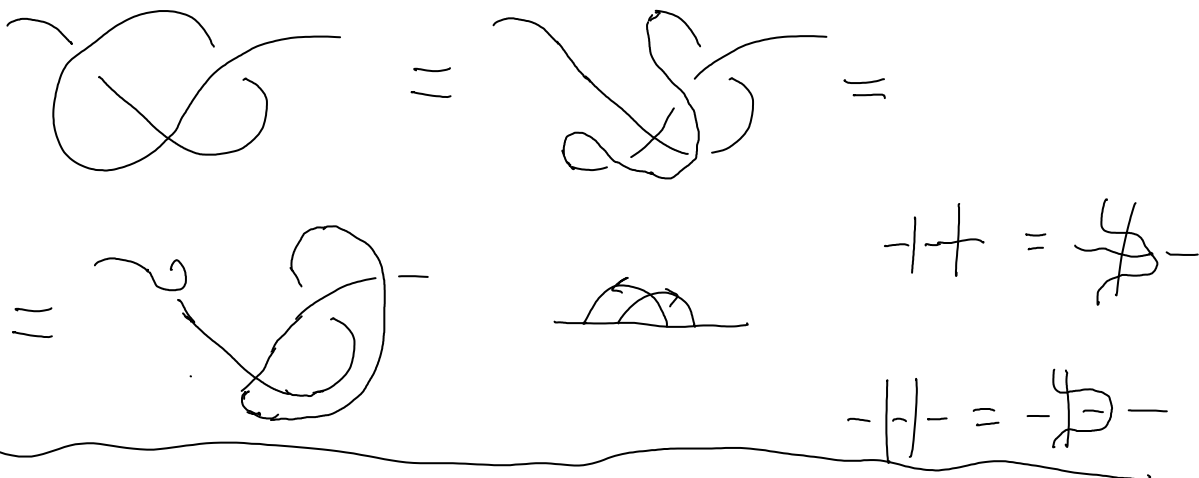
Pasted from <<http://arxiv.org/abs/math/9908064>>

Super solutions of the dynamical Yang-Baxter equation

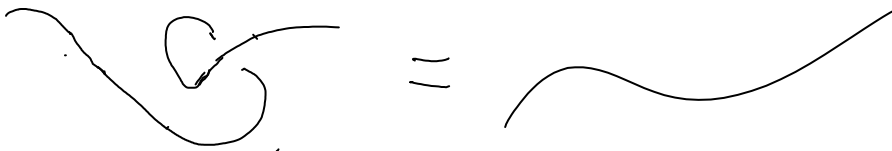
Author(s): Gizem Karaali

Pasted from <<http://www.ams.org/proc/2006-134-09/S0002-9939-06-08495-4/home.html>>

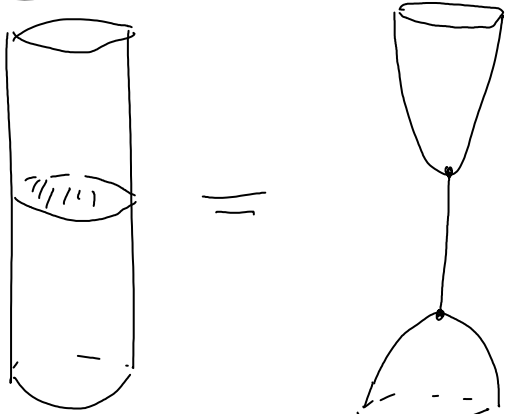
might be relevant too.



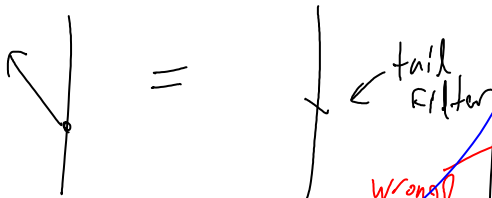
up to kinks.



What are "Algebras with Class"?



on diagram level,
arrow heads flow
through while arrow
tails are blocked.



tail
filter

wrong!
The $(+)$
here is likely
 $1-1=0$.

Note $A(\leftarrow \rightarrow)$ is
trivial! \circledast Indeed,

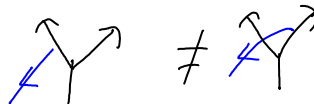
$$0 = \leftarrow \text{wheel} \rightarrow = 2 \text{ wheel} + \text{wheel} = 2 \text{ wheel}$$

single
strand
only!

(at least if $2 \neq 0$)
(multiple wheels can be just
added "in the background")

The "note" is definitely false! Indeed, by direct
computation of all BT relations, $\leftarrow \text{wheel} \rightarrow \neq 0$.

claim $A(\leftarrow \rightarrow) \cong A(\uparrow)$ seems false!



Question what is $A(\leftarrow \rightarrow)$? Is it
in some way, "just wheels"?

What's "clasper theory" for w -knots?

The quotient of one category by another,
what sort of object is it?

what sort of object is it?

$$A^w(\text{Y}) = ?$$