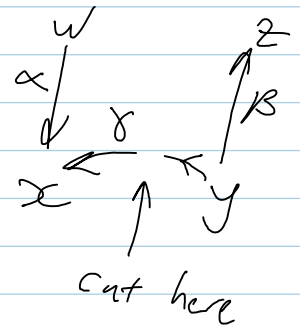


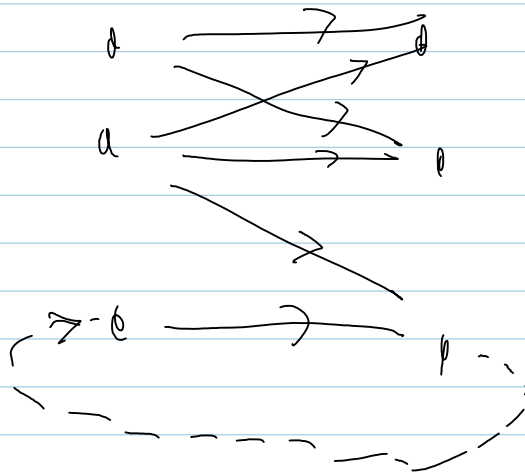
Ideas

September-24-11
5:09 PM

Perhaps I should cut open the γ -factors and re-glue later?



Question. Implement re-gluing!



Perhaps I should first totally convince myself of the case in which α, β, γ are degree 0 scalars.

A change of variable?

Given $j(x)$, can I find x ?

$$J = \frac{e^x - 1}{x}$$

```

HMultiply[x_, y_, z_][mix_] := Module[
  {ξ, η, j},
  ξ = D[mix, h[x]] /. t[s_] => c[s];
  η = D[mix, h[y]] /. t[s_] => c[s];
  j[ξ_] := If[ξ == 0, 1, (e^ξ - 1)/ξ];
  (mix /. {h[x] -> 0, h[y] -> 0}) +
  
$$\frac{j[\xi] h[z] D[mix, h[x]]}{j[\xi + \eta]} + e^\xi \frac{j[\eta] h[z] D[mix, h[y]]}{j[\xi + \eta]}$$

]

```

```
In[1]:= Solve[J == (E^x - 1)/x, x]
```

Solve::ifun : Inverse functions are being used by Solve, so some solutions

$$J = \frac{v}{x}$$

seems only doable w/
a W-function.

Solve::ifun :

Inverse functions are being used by Solve, so some solutions may not be found; use Reduce for complete solution information. >>

$$\text{Out[1]= } \left\{ \left\{ x \rightarrow \frac{-1 - J \text{ProductLog}\left[-\frac{e^{-1/J}}{J}\right]}{J} \right\} \right\}$$

In[2]= ? ProductLog

ProductLog[z] gives the principal solution for w in $z = we^{w}$.

ProductLog[k, z] gives the kth solution. >>

Pensieve/Projects/w-Computations/111005 Calculator.nb

More seriously, given $j(x)$ & $j(y)$, can I
write

$$\frac{j(x)}{j(x+y)} \quad \text{and} \quad \frac{e^x j(y)}{j(x+y)} \quad ?$$

Not both — if I could, I could also write
 e^x and hence x .