

Pensieve header: OneCo, the global picture.

```
SetDirectory["C:\\drorbn\\AcademicPensieve\\Projects\\OneCo-1604"];
<< Local.m
```

In the $U(T) \otimes U(H)$ conventions. Internal use symbols: {rr, pp}

Export

Exporting Snips\Ejk.pdf...

Exporting Snips\GlobalGeneralities.pdf...

Exporting Snips\VerifyingEjk.pdf...

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Exporting Snips\Ejk.pdf...

Exporting Snips\GlobalGeneralities.pdf...

Exporting Snips\VerifyingEjk.pdf...

Done.

Global Generalities

GlobalGeneralities

```
SnG[λ_, _][k_] := λ[k];
```

```
SnG[_ , ω_][ω] := ω;
```

E

Ejk

```
Ej-,k-,t- := SnG[⟨ |
  j → UU[a[1, j, ∞] + δaa[t, ϕ, ∞, j, k] +
    δaa[ $\frac{-1 + e^{-tb_j}}{b_j}$ , ϕ, k, j, ∞] + δaa[ $-\frac{-1 + e^{-tb_j} + tb_j}{b_j^2}$ , j, k, j, ∞]],
  k → UU[a[etbj, k, ∞] + a[ $-\frac{(-1 + e^{tb_j}) b_k}{b_j}$ , j, ∞] + δa[ $\frac{(-1 + e^{tb_j} (1 - tb_j)) b_k}{b_j^2}$ , j, ∞] +
    δa[ $\frac{(1 + e^{tb_j} (-1 + tb_j)) b_k}{b_j}$ , ϕ, ∞] + δaa[ $\frac{-1 + e^{tb_j} (1 - tb_j)}{b_j}$ , ϕ, k, k, ∞] +
    δaa[ $\frac{1 + e^{tb_j} (-1 + tb_j)}{b_j^2}$ , j, k, k, ∞] + δaa[ $\frac{b_j - e^{-tb_j} b_j + b_k + e^{tb_j} (-1 + tb_j) b_k}{b_j^2}$ ,
    ϕ, k, j, ∞] + δaa[ $\frac{b_j + b_k + tb_j b_k - e^{tb_j} (b_j + b_k)}{b_j^2}$ , ϕ, ∞, j, k] + δaa[ $\frac{1}{b_j^3}$ 
    e-tbj (bj + e2tbj (bj + (2 - tbj) bk) - etbj (2 bk + bj (2 + tbk))), j, k, j, ∞]] |⟩,
  UU@a[t, j, k]];
Ej-,k- := Ej,k,t;
```

VerifyingEjk

$$\{\mathbf{E}_{1,2,t}[1], \mathbf{E}_{1,2,t}[2]\} /. t \rightarrow 0$$

VerifyingEjk

$$\{\text{UU}[a[1, 1, \infty]], \text{UU}[a[1, 2, \infty]]\}$$

VerifyingEjk

$$\{\mathbf{D}[\mathbf{E}_{1,2,t}[1], t], \mathbf{D}[\mathbf{E}_{1,2,t}[2], t]\}$$

VerifyingEjk

$$\left\{ \text{UU} \left[\delta_{aa} [1, \zeta, \infty, 1, 2] + \delta_{aa} [-e^{-t b_1}, \zeta, 2, 1, \infty] + \delta_{aa} \left[-\frac{1}{b_1} + \frac{e^{-t b_1}}{b_1}, 1, 2, 1, \infty \right] \right], \right. \\ \text{UU} \left[a \left[e^{t b_1} b_1, 2, \infty \right] + a \left[-e^{t b_1} b_2, 1, \infty \right] + \delta a \left[-e^{t b_1} t b_2, 1, \infty \right] + \right. \\ \delta a \left[e^{t b_1} t b_1 b_2, \zeta, \infty \right] + \delta_{aa} \left[e^{t b_1} t, 1, 2, 2, \infty \right] + \delta_{aa} \left[-e^{t b_1} t b_1, \zeta, 2, 2, \infty \right] + \\ \delta_{aa} \left[e^{-t b_1} + e^{t b_1} t b_2, \zeta, 2, 1, \infty \right] + \delta_{aa} \left[-e^{t b_1} + \frac{b_2}{b_1} - \frac{e^{t b_1} b_2}{b_1}, \zeta, \infty, 1, 2 \right] + \\ \left. \left. \delta_{aa} \left[-\frac{e^{-t b_1}}{b_1} + \frac{e^{t b_1}}{b_1} - \frac{b_2}{b_1^2} + \frac{e^{t b_1} b_2}{b_1^2} - \frac{e^{t b_1} t b_2}{b_1}, 1, 2, 1, \infty \right] \right] \right\}$$

VerifyingEjk

$$\{\mathbf{D}[\mathbf{E}_{1,2,t}[1], t] - \mathbf{bb}[1, 2][\text{UU}[a[1, 1, 2]], \mathbf{E}_{1,2,t}[1]], \\ \mathbf{D}[\mathbf{E}_{1,2,t}[2], t] - \mathbf{bb}[1, 2][\text{UU}[a[1, 1, 2]], \mathbf{E}_{1,2,t}[2]]\}$$

VerifyingEjk

$$\{\text{UU}[0], \text{UU}[0]\}$$