Der For ØEQ[3;,Z;] lt N(\$)=

The Variables:

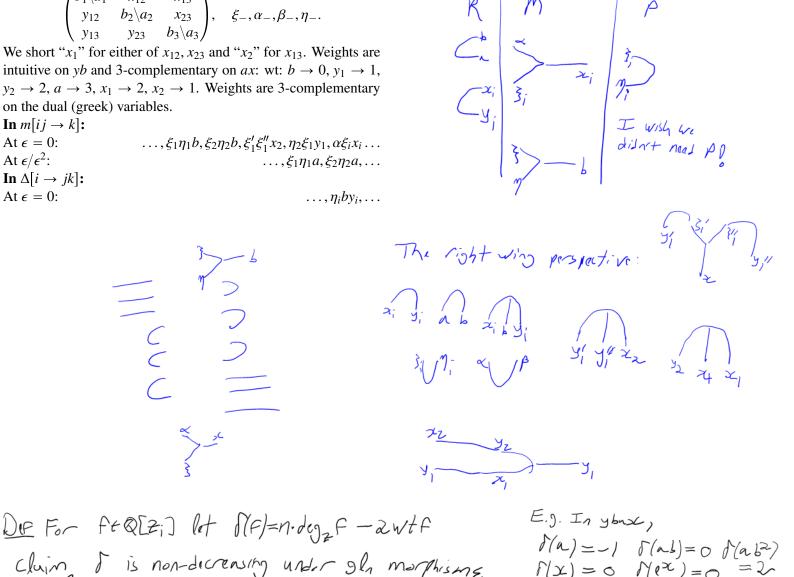
In $\Delta[i \rightarrow jk]$:

At $\epsilon = 0$:

$b_1 \setminus a_1$	<i>x</i> ₁₂	x_{13}	ξ, α, β, η
<i>Y</i> 12	$b_2 ackslash a_2$	x_{23} ,	ξ, α, β, η
y ₁₃	<i>Y</i> 23	$b_3 \setminus a_3$	

We short " x_1 " for either of x_{12} , x_{23} and " x_2 " for x_{13} . Weights are intuitive on *yb* and 3-complementary on *ax*: wt: $b \rightarrow 0, y_1 \rightarrow 1$, $y_2 \rightarrow 2, a \rightarrow 3, x_1 \rightarrow 2, x_2 \rightarrow 1$. Weights are 3-complementary on the dual (greek) variables. In $m[ij \rightarrow k]$: $\ldots, \xi_1\eta_1 b, \xi_2\eta_2 b, \xi_1'\xi_1''x_2, \eta_2\xi_1y_1, \alpha\xi_ix_i\ldots$ At $\epsilon = 0$: At ϵ/ϵ^2 : $\ldots, \xi_1\eta_1 a, \xi_2\eta_2 a, \ldots$

 $\ldots, \eta_i b y_i, \ldots$



$$I_{\Lambda} \ I_{3}$$

$$(x_{1}, x_{1}) \longrightarrow [x_{1}, y_{1}] = x_{1}$$

$$f = -2 \qquad f = 1$$

Y

 $\leq k+l$

y₃ y₂ y₃ y₆