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## The Milnor-Moore Theorem.

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## “Asymptotics” Done Right.

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## Faddeev-Popov Done Right.

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**The Berezin Integral.** Srednicki’s sec. 44, pp. 276; Weinberg’s vol I sec. 9.5 pp. 399(423); Wikipedia: Berezin integral; Wikipedia: Grassmann integral.

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**The “Extra” Supersymmetry.** — From Delduc-Gieres-Sorella: With  $\mathcal{D}_\mu c = \partial_\mu c + [A_\mu, c]$ ,

$$CS(A) = -\frac{1}{2} \int \text{tr}[\epsilon^{\mu\nu\rho} A_\mu \partial_\nu A_\rho + \frac{1}{3} A_\mu [A_\nu, A_\rho]]$$

$$S(A, d, b, c) = CS(A) + \int \text{tr}[d\partial_\mu A^\mu + b\partial^\mu \mathcal{D}_\mu c]$$

$$sA_\mu = -\mathcal{D}_\mu c, \quad sc = cc, \quad sb = d, \quad sd = 0$$

$$\delta_\rho A_\mu = \epsilon_{\mu\rho\nu} \partial^\nu c, \quad \delta_\rho c = 0, \quad \delta_\rho b = A_\rho, \quad \delta_\rho d = \mathcal{D}_\rho c$$

— From Axelrod-Singer 1:

$$CS(A) = \frac{1}{4\pi} \int_M \text{Tr} \left( A \wedge dA + \frac{2}{3} A^3 \right)$$

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## The Shift in $k$ .

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## Fulton-MacPherson in detail.

— Mostly done in [Compactification.pdf](#), though more can be done regarding diagram-dependent compactifications, regarding curve ( $\gamma$ )-dependent compactifications, and regarding infra-red.