

Optimistic Rough Tentative Plan. Fifth introduction: Dalvit on braids, then all about uvw-braids.
Perhaps something about surface braids? (was the plan for day 6)

Pasted from <<http://www.math.toronto.edu/~drorbn/Talks/Aarhus-1305/>>

First thing in morning: Dalvit braid videos.

First thing in afternoon: Humbert on surface braids.

25 minutes on braids:

$$1 \rightarrow F_{n-1} \rightarrow PB_n \rightleftarrows PB_{n-1} \rightarrow 1$$

$$\begin{aligned} \text{So } PB_n &= PB_{n-1} \rtimes F_{n-1} = (PB_{n-2} \rtimes F_{n-2}) \rtimes F_{n-1} \dots \\ &= F_1 \rtimes F_2 \rtimes F_3 \rtimes \dots \rtimes F_{n-1} \end{aligned}$$

Likewise $A_n^{\text{hor}} = FA_1 \rtimes FA_2 \rtimes FA_3 \dots \rtimes FA_{n-1}$



$$\Rightarrow \exists z: PB_n \rightarrow A_n^{\text{hor}} \quad \left[\begin{array}{l} \text{homomorphism} \\ \text{is hard!} \end{array} \right]$$

2. It is injective

3. Composition w/ $\text{Jgl}(w)$ is also injective.

4 PB_n acts on F_n ; in fact,

$$PB_n = \left\{ \varphi \in \text{Aut}(F_n) : \begin{array}{l} 1. \varphi(x_i) = a_i^{-1} x_i a_i \\ 2. \varphi(x_1, \dots, x_n) = x_1 \dots x_n \end{array} \right\}$$

$wPB_n = \{ \varphi \in \text{Aut}(F_n) : 1. \quad ; \text{ not } 2 \}$

$\Rightarrow Z^w$ is injective

..... and now philippe Humbert will tell us that on a surface, things aren't so simple.