TA office hours Wed and Thu 3-5.
Bonus points for posting HW solutions!
TT. Friday Oct. 26 9-10 @ GB404
Non homogeneons ean's by "undetor minid coiffs":
Examplis. 1. $y^{\prime \prime}-3 y^{\prime}-4 y=2 \sin x \quad \alpha_{1,2}=4,-1$
sol'n $y_{1}=\frac{1}{17}(3 \cos x-5 \sin y)$
general sol'n: $y_{1}+c_{1} e^{4 x}+c_{2} l^{-x}$
2. $y^{\prime \prime}-3 y^{\prime}-4 y=4 x^{2}$ soln $y=-x^{2}+3 / 2 x-\frac{13}{8}$
3. $y^{\prime \prime}-4 y=x e^{x}+x e^{2 x}$
$x e^{x}$ : no problom.
$x e^{2 x}$ : guess $\left(A x^{2}+B x\right) l^{2 x}$
In genoral, this works if RHS is a polynonial times an "exponential".
Even bettar, do systems: $y^{\prime}=A y \quad y(0)=y$.
Sol'n $\quad y(x)=e^{A x} \cdot y_{0} \quad$ What's $e^{A x}$ ?
Option 1. Dueine by $\left(e^{t A}\right)^{\prime}=A e^{t A^{\circ}} l^{O A}=I$
... excellint but circular.
option 2. Define $e^{t_{A}}=\sum_{n=0}^{\infty} \frac{1}{n!} t^{n} A^{n}$
Proparties 1. Convarges. 0
2. Sutisfies $\left(l^{t+}\right)^{\prime}=A e^{+A}$
3. $e^{A+B}=e^{A} l^{B}$ whenover $A B=B A$.
4. $e^{(t+5) A}=e^{+A} e^{5 A}$
5. $e^{C^{-1} A C}=C^{-1} l^{A} C$
$\Longrightarrow$ Totally computableV.

