

Pensieve header: The $\$sl_2^{\wedge}(k)\$$ program (aborted).

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SetDirectory["C:\\drorbn\\AcademicPensieve\\2017-08"];
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$\mathbb{E}[\omega, L, Q, P]$ stands for $\omega^{-1} e^{L+\omega^{-1} Q}$

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CF[ $\mathcal{E}_-$ ] := Module[{vars = Union@Cases[ $\mathcal{E}$ , y_ | a_ | x_,  $\infty$ ]},
  If[vars == {}, Factor[ $\mathcal{E}$ ],
    Total[CoefficientRules[ $\mathcal{E}$ , vars] /. (p_ -> c_) => Factor[c] Times @@ (vars^p) ]];
CF[ $\mathcal{E}_E$ ] := CF /@  $\mathcal{E}$ ;
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$\mathbb{E}[i_-, j_-, s_-] := \mathbb{E}[1, (-1)^s l_j, (-t)^s e_i f_j, t^s e_i l_{(1+s) i-s j} f_j + (-1)^s l_i l_j + (-t^2)^s e_i^2 f_j^2 / 4];$

$\mathbb{E}[i_-, s_-] := \mathbb{E}[1, \theta, \theta, s l_i];$

$\mathbb{E} /: \mathbb{E}[1, L1_-, Q1_-, P1_-] \mathbb{E}[1, L2_-, Q2_-, P2_-] := \mathbb{E}[1, L1 + L2, Q1 + Q2, P1 + P2];$

$DP_{x \rightarrow D_\alpha, y \rightarrow D_\beta}[P_-][f_-] :=$

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Total[CoefficientRules[P, {x, y}] /. ({m_-, n_-} -> c_-) => c D[f, { $\alpha$ , m}, { $\beta$ , n}]]
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$S_{l_j (x:e|f) i \rightarrow k_-}[\mathbb{E}[\omega_-, L_-, Q_-, P_-]] := \text{With}[\{\lambda = \partial_{l_j} L, \alpha = \partial_{x_i} Q, q = e^y \beta x_k + \gamma l_k\}, \text{CF}[\mathbb{E}[\omega, L /. l_j \rightarrow l_k, t^\lambda \alpha x_k + (Q /. x_i \rightarrow \theta), e^{-q} DP_{l_j \rightarrow D_\gamma, x_i \rightarrow D_\beta}[P][e^q] /. \{\beta \rightarrow \alpha / \omega, \gamma \rightarrow \lambda \text{Log}[t]\}]]];$

$\Delta[k_-] := ((t-1)(2(\alpha\beta + \delta\mu)^2 - \alpha^2\beta^2) - 4e_k l_k f_k \delta^2 \mu^2 - \delta(1+\mu)(f_k^2 \alpha^2 + e_k^2 \beta^2) - e_k^2 f_k^2 \delta^3(1+3\mu) - 2(\alpha\beta + 2\delta\mu + e_k f_k \delta^2(1+2\mu) + 2l_k \delta \mu^2)(f_k \alpha + e_k \beta) - 4(l_k \mu^2 + e_k f_k \delta(1+\mu))(\alpha\beta + \delta\mu)(1+t) / 4;$

$S_{f_i e_j \rightarrow k_-}[\mathbb{E}[\omega_-, L_-, Q_-, P_-]] := \text{With}[\{q = ((1-t)\alpha\beta + \beta e_k + \alpha f_k + \delta e_k f_k) / \mu\}, \text{CF}[\mathbb{E}[\mu \omega, L, \mu \omega q + \mu(Q /. f_i | e_j \rightarrow \theta), \mu^4 e^{-q} DP_{f_i \rightarrow D_\alpha, e_j \rightarrow D_\beta}[P][e^q] + \omega^4 \Delta[k]] /. \mu \rightarrow 1 + (t-1)\delta /. \{\alpha \rightarrow \omega^{-1}(\partial_{f_i} Q /. e_j \rightarrow \theta), \beta \rightarrow \omega^{-1}(\partial_{e_j} Q /. f_i \rightarrow \theta), \delta \rightarrow \omega^{-1} \partial_{f_i, e_j} Q\}]]];$

$m_{i_-, j_-, k_-}[Z_E] := \text{Module}[\{x, z\},$

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CF[(Z // S_{f_i e_j \rightarrow x} // S_{l_i e_x \rightarrow x} // S_{f_x l_j \rightarrow x}) /. z_{-i|j|x} \rightarrow z_k]]
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$\rho_1[\mathbb{E}[\omega_-, _, _, P_-]] := \text{CF}\left[\frac{t((P /. e_ | l_ | f_ \rightarrow \theta) - t \omega^3 (\partial_t \omega))}{(t-1)^2 \omega^2}\right]$