

Pensieve header: Full stitching as a determinant.

```
<< KnotTheory`  
<< "C:/drorbn/AcademicPensieve/Projects/MetaCalculi/MetaCalculi-Program.m"  
Loading KnotTheory` version of September 6, 2014, 13:37:37.2841.  
Read more at http://katlas.org/wiki/KnotTheory.
```

```
K0 = Last@SXForm[K = Knot[8, 18]]
```

KnotTheory::loading : Loading precomputed data in PD4Knots`.

```
Xm[3, 8] Xm[7, 12] Xm[11, 16] Xm[15, 4] xp[1, 6] xp[5, 10] xp[9, 14] xp[13, 2]
```

Alexander [K] [T]

$$13 - \frac{1}{T^3} + \frac{5}{T^2} - \frac{10}{T} - 10T + 5T^2 - T^3$$

```
(M =  $\Gamma[\mathbf{K0}][\mathbf{A}]$ ) // MatrixForm
```

1	0	0	0	0	0	1 - T ₁	0	0	0	0	0	0	0	0	0	0	0	0
0	T ₁₃	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	1	0	0	0	0	$\frac{-1+T_3}{T_3}$	0	0	0	0	0	0	0	0	0	0	0
0	0	0	$\frac{1}{T_{15}}$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	1	0	0	0	0	0	1 - T ₅	0	0	0	0	0	0	0	0
0	0	0	0	0	T ₁	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	1	0	0	0	0	$\frac{-1+T_7}{T_7}$	0	0	0	0	0	0	0
0	0	0	0	0	0	0	$\frac{1}{T_3}$	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	1 - T ₉	0	0	0
0	0	0	0	0	0	0	0	0	0	T ₅	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	$\frac{-1+T_{11}}{T_{11}}$	0
0	0	0	0	0	0	0	0	0	0	0	$\frac{1}{T_7}$	0	0	0	0	0	0	0
0	1 - T ₁₃	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	T ₉	0	0	0
0	0	0	$\frac{-1+T_{15}}{T_{15}}$	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	$\frac{1}{T_{11}}$	0

Det [

```

Drop[M + Normal[SparseArray[{Band[{1, 2}] -> -1}, {16, 16}]], -1, -1] /. T_ -> T
] // Simplify

```

$$-\frac{\left(1-3T+T^2\right)\left(1-T+T^2\right)^2}{T^2}$$

Z [K]

```

dm[1, 16, 1] [
  dm[1, 15, 1] [dm[1, 14, 1] [dm[1, 13, 1] [dm[1, 12, 1] [dm[1, 11, 1] [dm[1, 10, 1] [
    dm[1, 9, 1] [dm[1, 8, 1] [dm[1, 7, 1] [dm[1, 6, 1] [dm[1, 5, 1] [
      dm[1, 4, 1] [dm[1, 3, 1] [dm[1, 2, 1] [Xm[3, 8] Xm[7, 12] Xm[11, 16]
      Xm[15, 4] Xp[1, 6] Xp[5, 10] Xp[9, 14] Xp[13, 21] ] ] ] ] ] ] ]

```

$$(\text{dm}[1, 11, 1] [\text{dm}[1, 10, 1] [\text{dm}[1, 9, 1] [\text{dm}[1, 8, 1] [\text{dm}[1, 7, 1] [\text{dm}[1, 6, 1] [\text{dm}[1, 5, 1] [\text{dm}[1, 4, 1] [\text{dm}[1, 3, 1] [\text{dm}[1, 2, 1] [\text{K0} // \text{r}]]]]]]]])$$

$$\left\{ \begin{array}{lllll} \frac{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}{T_{15}} & S_1 & S_{12} & S_{13} & S_{14} \\ S_1 & \frac{T_1 T_{13}}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} & \frac{(-1+T_1) (-T_{13}+T_1 T_{13}+T_{15})}{T_1 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})} & 0 & -\frac{(-1+T_1) T_1 (1-T_1-T_{13}+T_1 T_{13}+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} \\ S_{12} & 0 & \frac{1}{T_1} & 0 & 0 \\ S_{13} & -\frac{(-1+T_{13}) (1-T_1+T_1 T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} & -\frac{(-1+T_1)^3 (-1+T_{13}) (-1+T_{15})}{T_1^2 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})} & 1 & \frac{(-1+T_1)^3 (-1+T_{13}) T_{15}}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} \\ S_{14} & 0 & 0 & 0 & \frac{1}{T_1} \\ S_{15} & \frac{T_1 T_{13} (-1+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} & \frac{(-1+T_1)^2 (1-T_{13}+T_1 T_{13}) (-1+T_{15})}{T_1^2 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})} & 0 & -\frac{(-1+T_1)^3 (-1+T_{13}) (-1+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}} \\ S_{16} & 0 & 0 & 0 & 0 \\ \Gamma & \frac{T_1 T_{13}}{T_{15}} & \frac{1}{T_1} & 1 & T_1 \end{array} \right. \quad \left. \begin{array}{c} S \\ () \\ () \\ () \\ () \\ () \\ () \end{array} \right.$$

M1 =

$$(\text{dm}[1, 11, 1] [\text{dm}[1, 10, 1] [\text{dm}[1, 9, 1] [\text{dm}[1, 8, 1] [\text{dm}[1, 7, 1] [\text{dm}[1, 6, 1] [\text{dm}[1, 5, 1] [\text{dm}[1, 4, 1] [\text{dm}[1, 3, 1] [\text{dm}[1, 2, 1] [\text{K0} // \text{r}]]]]]]]])$$

$$\left\{ \begin{array}{l} \left\{ \frac{T_1 T_{13}}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, \frac{(-1+T_1) (-T_{13}+T_1 T_{13}+T_{15})}{T_1 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})}, 0, \right. \\ \left. -\frac{(-1+T_1) T_1 (1-T_1-T_{13}+T_1 T_{13}+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, 0, \frac{-1+T_1}{T_1} \right\}, \{0, \frac{1}{T_1}, 0, 0, 0, 0\}, \\ \left\{ -\frac{(-1+T_{13}) (1-T_1+T_1 T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, -\frac{(-1+T_1)^3 (-1+T_{13}) (-1+T_{15})}{T_1^2 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})}, \right. \\ \left. 1, \frac{(-1+T_1)^3 (-1+T_{13}) T_{15}}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, 0, 0 \right\}, \{0, 0, 0, T_1, 0, 0\}, \\ \left\{ \frac{T_1 T_{13} (-1+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, \frac{(-1+T_1)^2 (1-T_{13}+T_1 T_{13}) (-1+T_{15})}{T_1^2 (1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15})}, 0, \right. \\ \left. -\frac{(-1+T_1)^3 (-1+T_{13}) (-1+T_{15})}{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}, 1, 0 \right\}, \{0, 0, 0, 0, 0, \frac{1}{T_1}\} \end{array} \right.$$

$$\frac{1-T_1-T_{13}+T_1 T_{13}+T_1 T_{15}}{T_{15}} \text{Det}[$$
T₁₅

$$\text{Drop}[M1 + \text{Normal}[\text{SparseArray}[\{\text{Band}[\{1, 2\}] \rightarrow -1\}, \{6, 6\}]], -1, -1]$$

$$] /. T \rightarrow T // \text{Simplify}$$

$$-\frac{(1-3 T+T^2) (1-T+T^2)^2}{T^2}$$

$$n = 6; \quad \gamma_0 = \Gamma [1, \sum_{a=0}^n h_a \sigma_a, \sum_{a=1}^n \sum_{b=1}^n t_a h_b \alpha_{10 a+b}]$$

$$\left(\begin{array}{cccccc} 1 & S_1 & S_2 & S_3 & S_4 & S_5 & S_6 \\ S_1 & \alpha_{11} & \alpha_{12} & \alpha_{13} & \alpha_{14} & \alpha_{15} & \alpha_{16} \\ S_2 & \alpha_{21} & \alpha_{22} & \alpha_{23} & \alpha_{24} & \alpha_{25} & \alpha_{26} \\ S_3 & \alpha_{31} & \alpha_{32} & \alpha_{33} & \alpha_{34} & \alpha_{35} & \alpha_{36} \\ S_4 & \alpha_{41} & \alpha_{42} & \alpha_{43} & \alpha_{44} & \alpha_{45} & \alpha_{46} \\ S_5 & \alpha_{51} & \alpha_{52} & \alpha_{53} & \alpha_{54} & \alpha_{55} & \alpha_{56} \\ S_6 & \alpha_{61} & \alpha_{62} & \alpha_{63} & \alpha_{64} & \alpha_{65} & \alpha_{66} \\ \Gamma & \sigma_1 & \sigma_2 & \sigma_3 & \sigma_4 & \sigma_5 & \sigma_6 \end{array} \right)$$

```

t1 = Det[
  Drop[Normal[SparseArray[{Band[{1, 2}] -> 1}, {n, n}]] - γ0[A], -1, 1]
]

- (α16 - α16 α23 + α13 α26 - α16 α24 α33 + α14 α26 α33 - α16 α34 + α16 α23 α34 - α13 α26 α34 + α14 α36 -
   α14 α23 α36 + α13 α24 α36 - α16 α25 α43 + α15 α26 α43 + α16 α25 α34 α43 - α15 α26 α34 α43 -
   α16 α24 α35 α43 + α14 α26 α35 α43 + α15 α24 α36 α43 - α14 α25 α36 α43 - α16 α25 α33 α44 +
   α15 α26 α33 α44 - α16 α35 α44 + α16 α23 α35 α44 - α13 α26 α35 α44 + α15 α36 α44 - α15 α23 α36 α44 +
   α13 α25 α36 α44 - α16 α45 + α16 α23 α45 - α13 α26 α45 + α16 α24 α33 α45 - α14 α26 α33 α45 +
   α16 α34 α45 - α16 α23 α34 α45 + α13 α26 α34 α45 - α14 α36 α45 + α14 α23 α36 α45 - α13 α24 α36 α45 +
   α15 α46 - α15 α23 α46 + α13 α25 α46 - α15 α24 α33 α46 + α14 α25 α33 α46 - α15 α34 α46 +
   α15 α23 α34 α46 - α13 α25 α34 α46 + α14 α35 α46 - α14 α23 α35 α46 + α13 α24 α35 α46) α52 +
  ((-α16 α25 + α15 α26 + α16 α25 α34 - α15 α26 α34 - α16 α24 α35 + α14 α26 α35 + α15 α24 α36 - α14 α25 α36) α42 -
   (α16 α25 α32 - α15 α26 α32 - α16 α22 α35 - α26 α35 + α12 α26 α35 + α15 α22 α36 + α25 α36 - α12 α25 α36)
   α44 - (α16 α22 + α26 - α12 α26 + α16 α24 α32 - α14 α26 α32 - α16 α22 α34 -
   α26 α34 + α12 α26 α34 + α14 α22 α36 + α24 α36 - α12 α24 α36) (1 - α45) -
   (α15 α22 + α25 - α12 α25 + α15 α24 α32 - α14 α25 α32 - α15 α22 α34 - α25 α34 +
   α12 α25 α34 + α14 α22 α35 + α24 α35 - α12 α24 α35) α46) α53 -
  (α16 α32 - α16 α23 α32 + α13 α26 α32 + α16 α22 α33 + α26 α33 - α12 α26 α33 + α36 - α12 α36 -
   α13 α22 α36 - α23 α36 + α12 α23 α36 + α16 α25 α33 α42 - α15 α26 α33 α42 + α16 α35 α42 -
   α16 α23 α35 α42 + α13 α26 α35 α42 - α15 α36 α42 + α15 α23 α36 α42 - α13 α25 α36 α42 - α16 α25 α32 α43 +
   α15 α26 α32 α43 + α16 α22 α35 α43 + α26 α35 α43 - α12 α26 α35 α43 - α15 α22 α36 α43 - α25 α36 α43 +
   α12 α25 α36 α43 - α16 α32 α45 + α16 α23 α32 α45 - α13 α26 α32 α45 - α16 α22 α33 α45 -
   α26 α33 α45 + α12 α26 α33 α45 - α36 α45 + α12 α36 α45 + α13 α22 α36 α45 + α23 α36 α45 -
   α12 α23 α36 α45 + α15 α32 α46 - α15 α23 α32 α46 + α13 α25 α32 α46 + α15 α22 α33 α46 + α25 α33 α46 -
   α12 α25 α33 α46 + α35 α46 - α12 α35 α46 - α13 α22 α35 α46 - α23 α35 α46 + α12 α23 α35 α46) α54 +
  ((-α16 α42 + α16 α23 α42 - α13 α26 α42 + α16 α24 α33 α42 - α14 α26 α33 α42 + α16 α34 α42 -
   α16 α23 α34 α42 + α13 α26 α34 α42 - α14 α36 α42 + α14 α23 α36 α42 - α13 α24 α36 α42 - α16 α22 α43 -
   α26 α43 + α12 α26 α43 - α16 α24 α32 α43 + α14 α26 α32 α43 + α16 α22 α34 α43 + α26 α34 α43 -
   α12 α26 α34 α43 - α14 α22 α36 α43 - α24 α36 α43 + α12 α24 α36 α43 - α16 α32 α44 + α16 α23 α32 α44 -
   α13 α26 α32 α44 - α16 α22 α33 α44 - α26 α33 α44 + α12 α26 α33 α44 - α36 α44 + α12 α36 α44 +
   α13 α22 α36 α44 + α23 α36 α44 - α12 α23 α36 α44 - α46 + α12 α46 + α13 α22 α46 + α23 α46 -
   α12 α23 α46 + α14 α32 α46 - α14 α23 α32 α46 + α13 α24 α32 α46 + α14 α22 α33 α46 + α24 α33 α46 -
   α12 α24 α33 α46 + α34 α46 - α12 α34 α46 - α13 α22 α34 α46 - α23 α34 α46 + α12 α23 α34 α46) α55 +
  ((-α15 + α15 α23 - α13 α25 + α15 α24 α33 - α14 α25 α33 + α15 α34 - α15 α23 α34 +
   α13 α25 α34 - α14 α35 + α14 α23 α35 - α13 α24 α35) α42 -
   (α15 α22 + α25 - α12 α25 + α15 α24 α32 - α14 α25 α32 - α15 α22 α34 - α25 α34 + α12 α25 α34 +
   α14 α22 α35 + α24 α35 - α12 α24 α35) α43 + (-α15 α32 + α15 α23 α32 - α13 α25 α32 -
   α15 α22 α33 - α25 α33 + α12 α25 α33 - α35 + α12 α35 + α13 α22 α35 + α23 α35 - α12 α23 α35) α44 +
   (1 - α12 - α13 α22 - α23 + α12 α23 - α14 α32 + α14 α23 α32 - α13 α24 α32 - α14 α22 α33 - α24 α33 +
   α12 α24 α33 - α34 + α12 α34 + α13 α22 α34 + α23 α34 - α12 α23 α34) (1 - α45) (1 - α56)
]

```

```

t2 = γ0;
Do[t2 = t2 // dm[1, k, 1], {k, 2, n}];
t2 = t2@ω

1 - α12 - α13 α22 - α23 + α12 α23 - α14 α32 + α14 α23 α32 - α13 α24 α32 - α14 α22 α33 - α24 α33 +
α12 α24 α33 - α34 + α12 α34 + α13 α22 α34 + α23 α34 - α12 α23 α34 - α15 α42 + α15 α23 α42 - α13 α25 α42 +
α15 α24 α33 α42 - α14 α25 α33 α42 + α15 α34 α42 - α15 α23 α34 α42 + α13 α25 α34 α42 - α14 α35 α42 +
α14 α23 α35 α42 - α13 α24 α35 α42 - α15 α22 α43 - α25 α43 + α12 α25 α43 - α15 α24 α32 α43 + α14 α25 α32 α43 +
α15 α22 α34 α43 + α25 α34 α43 - α12 α25 α34 α43 - α14 α22 α35 α43 - α24 α35 α43 + α12 α24 α35 α43 -
α15 α32 α44 + α15 α23 α32 α44 - α13 α25 α32 α44 - α15 α22 α33 α44 - α25 α33 α44 + α12 α25 α33 α44 -
α35 α44 + α12 α35 α44 + α13 α22 α35 α44 + α23 α35 α44 - α12 α23 α35 α44 - α45 + α12 α45 + α13 α22 α45 +
α23 α45 - α12 α23 α45 + α14 α32 α45 - α14 α23 α32 α45 + α13 α24 α32 α45 + α14 α22 α33 α45 + α24 α33 α45 -
α12 α24 α33 α45 + α34 α45 - α12 α34 α45 - α13 α22 α34 α45 - α23 α34 α45 + α12 α23 α34 α45 - α16 α52 +
α16 α23 α52 - α13 α26 α52 + α16 α24 α33 α52 - α14 α26 α33 α52 + α16 α34 α52 - α16 α23 α34 α52 +
α13 α26 α34 α52 - α14 α36 α52 + α14 α23 α36 α52 - α13 α24 α36 α52 + α16 α25 α43 α52 - α15 α26 α43 α52 -
α16 α25 α34 α52 + α15 α26 α34 α43 α52 + α16 α24 α35 α43 α52 - α14 α26 α35 α43 α52 - α15 α24 α36 α43 α52 +
α14 α25 α36 α43 α52 + α16 α25 α33 α44 α52 - α15 α26 α33 α44 α52 + α16 α35 α44 α52 - α16 α23 α35 α44 α52 +
α13 α26 α35 α44 α52 - α15 α36 α44 α52 + α15 α23 α36 α44 α52 - α13 α25 α36 α44 α52 + α16 α45 α52 -
α16 α23 α45 α52 + α13 α26 α45 α52 - α16 α24 α33 α45 α52 + α14 α26 α33 α45 α52 - α16 α34 α45 α52 +
α16 α23 α34 α52 - α13 α26 α34 α45 α52 + α14 α36 α45 α52 - α14 α23 α36 α45 α52 + α13 α24 α36 α45 α52 -
α15 α46 α52 + α15 α23 α46 α52 - α13 α25 α46 α52 + α15 α24 α33 α46 α52 - α14 α25 α33 α46 α52 + α15 α34 α46 α52 -
α15 α23 α34 α46 α52 + α13 α25 α34 α46 α52 - α14 α35 α46 α52 + α14 α23 α35 α46 α52 - α13 α24 α35 α46 α52 -
α16 α22 α53 - α26 α53 + α12 α26 α53 - α16 α24 α32 α53 + α14 α26 α32 α53 + α16 α22 α34 α53 + α26 α34 α53 -
α12 α26 α34 α53 - α14 α22 α36 α53 - α24 α36 α53 + α12 α24 α36 α53 - α16 α25 α42 α53 + α15 α26 α42 α53 +
α16 α25 α34 α42 α53 - α15 α26 α34 α42 α53 - α16 α24 α35 α42 α53 + α14 α26 α35 α42 α53 + α15 α24 α36 α42 α53 -
α14 α25 α36 α42 α53 - α16 α25 α32 α44 α53 + α15 α26 α32 α44 α53 + α16 α22 α35 α44 α53 + α26 α35 α44 α53 -
α12 α26 α35 α44 α53 - α15 α22 α36 α44 α53 - α25 α36 α44 α53 + α12 α25 α36 α44 α53 + α16 α22 α45 α53 +
α26 α45 α53 - α12 α26 α45 α53 + α16 α24 α32 α45 α53 - α14 α26 α32 α45 α53 - α16 α22 α34 α45 α53 -
α26 α34 α45 α53 + α12 α26 α34 α45 α53 + α14 α22 α36 α45 α53 + α24 α36 α45 α53 - α12 α24 α36 α45 α53 -
α15 α22 α46 α53 - α25 α46 α53 + α12 α25 α46 α53 - α15 α24 α32 α46 α53 + α14 α25 α32 α46 α53 +
α15 α22 α34 α46 α53 + α25 α34 α46 α53 - α12 α25 α34 α46 α53 - α14 α22 α35 α46 α53 - α24 α35 α46 α53 +
α12 α24 α35 α46 α53 - α16 α32 α54 + α16 α23 α32 α54 - α13 α26 α32 α54 - α16 α22 α33 α54 - α26 α33 α54 +
α12 α26 α33 α54 - α36 α54 + α12 α36 α54 + α13 α22 α36 α54 + α23 α36 α54 - α12 α23 α36 α54 -
α16 α25 α33 α42 α54 + α15 α26 α33 α42 α54 - α16 α35 α42 α54 + α16 α23 α35 α42 α54 - α13 α26 α35 α42 α54 +
α15 α36 α42 α54 - α15 α23 α36 α42 α54 + α13 α25 α36 α42 α54 + α16 α25 α32 α43 α54 - α15 α26 α32 α43 α54 -
α16 α22 α35 α43 α54 - α26 α35 α43 α54 + α12 α26 α35 α43 α54 + α15 α22 α36 α43 α54 + α25 α36 α43 α54 -
α12 α25 α36 α43 α54 + α16 α32 α45 α54 - α16 α23 α32 α45 α54 + α13 α26 α32 α45 α54 + α16 α22 α33 α45 α54 +
α26 α33 α45 α54 - α12 α26 α33 α45 α54 + α36 α45 α54 - α12 α36 α45 α54 - α13 α22 α36 α45 α54 -
α23 α36 α45 α54 + α12 α23 α36 α45 α54 - α15 α32 α46 α54 + α15 α23 α32 α46 α54 - α13 α25 α32 α46 α54 -
α15 α22 α33 α46 α54 - α25 α33 α46 α54 + α12 α25 α33 α46 α54 - α35 α46 α54 + α12 α35 α46 α54 +
α13 α22 α35 α46 α54 + α23 α35 α46 α54 - α12 α23 α35 α46 α54 - α16 α42 α55 + α16 α23 α42 α55 -
α13 α26 α42 α55 + α16 α24 α33 α42 α55 - α14 α26 α33 α42 α55 + α16 α34 α42 α55 - α16 α23 α34 α42 α55 +
α13 α26 α34 α42 α55 - α14 α36 α42 α55 + α14 α23 α36 α42 α55 - α13 α24 α36 α42 α55 - α16 α22 α43 α55 -

```

$$\begin{aligned}
& \alpha_{26} \alpha_{43} \alpha_{55} + \alpha_{12} \alpha_{26} \alpha_{43} \alpha_{55} - \alpha_{16} \alpha_{24} \alpha_{32} \alpha_{43} \alpha_{55} + \alpha_{14} \alpha_{26} \alpha_{32} \alpha_{43} \alpha_{55} + \alpha_{16} \alpha_{22} \alpha_{34} \alpha_{43} \alpha_{55} + \\
& \alpha_{26} \alpha_{34} \alpha_{43} \alpha_{55} - \alpha_{12} \alpha_{26} \alpha_{34} \alpha_{43} \alpha_{55} - \alpha_{14} \alpha_{22} \alpha_{36} \alpha_{43} \alpha_{55} - \alpha_{24} \alpha_{36} \alpha_{43} \alpha_{55} + \alpha_{12} \alpha_{24} \alpha_{36} \alpha_{43} \alpha_{55} - \\
& \alpha_{16} \alpha_{32} \alpha_{44} \alpha_{55} + \alpha_{16} \alpha_{23} \alpha_{32} \alpha_{44} \alpha_{55} - \alpha_{13} \alpha_{26} \alpha_{32} \alpha_{44} \alpha_{55} - \alpha_{16} \alpha_{22} \alpha_{33} \alpha_{44} \alpha_{55} - \alpha_{26} \alpha_{33} \alpha_{44} \alpha_{55} + \\
& \alpha_{12} \alpha_{26} \alpha_{33} \alpha_{44} \alpha_{55} - \alpha_{36} \alpha_{44} \alpha_{55} + \alpha_{12} \alpha_{36} \alpha_{44} \alpha_{55} + \alpha_{13} \alpha_{22} \alpha_{36} \alpha_{44} \alpha_{55} + \alpha_{23} \alpha_{36} \alpha_{44} \alpha_{55} - \\
& \alpha_{12} \alpha_{23} \alpha_{36} \alpha_{44} \alpha_{55} - \alpha_{46} \alpha_{55} + \alpha_{12} \alpha_{46} \alpha_{55} + \alpha_{13} \alpha_{22} \alpha_{46} \alpha_{55} + \alpha_{23} \alpha_{46} \alpha_{55} - \alpha_{12} \alpha_{23} \alpha_{46} \alpha_{55} + \\
& \alpha_{14} \alpha_{32} \alpha_{46} \alpha_{55} - \alpha_{14} \alpha_{23} \alpha_{32} \alpha_{46} \alpha_{55} + \alpha_{13} \alpha_{24} \alpha_{32} \alpha_{46} \alpha_{55} + \alpha_{14} \alpha_{22} \alpha_{33} \alpha_{46} \alpha_{55} + \alpha_{24} \alpha_{33} \alpha_{46} \alpha_{55} - \\
& \alpha_{12} \alpha_{24} \alpha_{33} \alpha_{46} \alpha_{55} + \alpha_{34} \alpha_{46} \alpha_{55} - \alpha_{12} \alpha_{34} \alpha_{46} \alpha_{55} - \alpha_{13} \alpha_{22} \alpha_{34} \alpha_{46} \alpha_{55} - \alpha_{23} \alpha_{34} \alpha_{46} \alpha_{55} + \\
& \alpha_{12} \alpha_{23} \alpha_{34} \alpha_{46} \alpha_{55} - \alpha_{56} + \alpha_{12} \alpha_{56} + \alpha_{13} \alpha_{22} \alpha_{56} + \alpha_{23} \alpha_{56} - \alpha_{12} \alpha_{23} \alpha_{56} + \alpha_{14} \alpha_{32} \alpha_{56} - \alpha_{14} \alpha_{23} \alpha_{32} \alpha_{56} + \\
& \alpha_{13} \alpha_{24} \alpha_{32} \alpha_{56} + \alpha_{14} \alpha_{22} \alpha_{33} \alpha_{56} + \alpha_{24} \alpha_{33} \alpha_{56} - \alpha_{12} \alpha_{24} \alpha_{33} \alpha_{56} + \alpha_{34} \alpha_{56} - \alpha_{12} \alpha_{34} \alpha_{56} - \\
& \alpha_{13} \alpha_{22} \alpha_{34} \alpha_{56} - \alpha_{23} \alpha_{34} \alpha_{56} + \alpha_{12} \alpha_{23} \alpha_{34} \alpha_{56} + \alpha_{15} \alpha_{42} \alpha_{56} - \alpha_{15} \alpha_{23} \alpha_{42} \alpha_{56} + \alpha_{13} \alpha_{25} \alpha_{42} \alpha_{56} - \\
& \alpha_{15} \alpha_{24} \alpha_{33} \alpha_{42} \alpha_{56} + \alpha_{14} \alpha_{25} \alpha_{33} \alpha_{42} \alpha_{56} - \alpha_{15} \alpha_{34} \alpha_{42} \alpha_{56} + \alpha_{15} \alpha_{23} \alpha_{34} \alpha_{42} \alpha_{56} - \alpha_{13} \alpha_{25} \alpha_{34} \alpha_{42} \alpha_{56} + \\
& \alpha_{14} \alpha_{35} \alpha_{42} \alpha_{56} - \alpha_{14} \alpha_{23} \alpha_{35} \alpha_{42} \alpha_{56} + \alpha_{13} \alpha_{24} \alpha_{35} \alpha_{42} \alpha_{56} + \alpha_{15} \alpha_{22} \alpha_{43} \alpha_{56} + \alpha_{25} \alpha_{43} \alpha_{56} - \\
& \alpha_{12} \alpha_{25} \alpha_{43} \alpha_{56} + \alpha_{15} \alpha_{24} \alpha_{32} \alpha_{43} \alpha_{56} - \alpha_{14} \alpha_{25} \alpha_{32} \alpha_{43} \alpha_{56} - \alpha_{15} \alpha_{22} \alpha_{34} \alpha_{43} \alpha_{56} - \alpha_{25} \alpha_{34} \alpha_{43} \alpha_{56} + \\
& \alpha_{12} \alpha_{25} \alpha_{34} \alpha_{43} \alpha_{56} + \alpha_{14} \alpha_{22} \alpha_{35} \alpha_{43} \alpha_{56} + \alpha_{24} \alpha_{35} \alpha_{43} \alpha_{56} - \alpha_{12} \alpha_{24} \alpha_{35} \alpha_{43} \alpha_{56} + \alpha_{15} \alpha_{32} \alpha_{44} \alpha_{56} + \\
& \alpha_{15} \alpha_{23} \alpha_{32} \alpha_{44} \alpha_{56} + \alpha_{13} \alpha_{25} \alpha_{32} \alpha_{44} \alpha_{56} + \alpha_{15} \alpha_{22} \alpha_{33} \alpha_{44} \alpha_{56} + \alpha_{25} \alpha_{33} \alpha_{44} \alpha_{56} - \alpha_{12} \alpha_{25} \alpha_{33} \alpha_{44} \alpha_{56} + \\
& \alpha_{35} \alpha_{44} \alpha_{56} - \alpha_{12} \alpha_{35} \alpha_{44} \alpha_{56} - \alpha_{13} \alpha_{22} \alpha_{35} \alpha_{44} \alpha_{56} - \alpha_{23} \alpha_{35} \alpha_{44} \alpha_{56} + \alpha_{12} \alpha_{23} \alpha_{35} \alpha_{44} \alpha_{56} + \\
& \alpha_{45} \alpha_{56} - \alpha_{12} \alpha_{45} \alpha_{56} - \alpha_{13} \alpha_{22} \alpha_{45} \alpha_{56} - \alpha_{23} \alpha_{45} \alpha_{56} + \alpha_{12} \alpha_{23} \alpha_{45} \alpha_{56} - \alpha_{14} \alpha_{32} \alpha_{45} \alpha_{56} + \\
& \alpha_{14} \alpha_{23} \alpha_{32} \alpha_{45} \alpha_{56} - \alpha_{13} \alpha_{24} \alpha_{32} \alpha_{45} \alpha_{56} - \alpha_{14} \alpha_{22} \alpha_{33} \alpha_{45} \alpha_{56} - \alpha_{24} \alpha_{33} \alpha_{45} \alpha_{56} + \alpha_{12} \alpha_{24} \alpha_{33} \alpha_{45} \alpha_{56} - \\
& \alpha_{34} \alpha_{45} \alpha_{56} + \alpha_{12} \alpha_{34} \alpha_{45} \alpha_{56} + \alpha_{13} \alpha_{22} \alpha_{34} \alpha_{45} \alpha_{56} + \alpha_{23} \alpha_{34} \alpha_{45} \alpha_{56} - \alpha_{12} \alpha_{23} \alpha_{34} \alpha_{45} \alpha_{56}
\end{aligned}$$

t1 - t2 // Expand

0