The 17 Worlds of Planar Ants

Canada Math Camp, July 2014.

Abstract. Back in early 2000, I got my first digital camera and set out to take pictures of my kids and of symmetric patterns in the plane.



Lou Kauffman

There are exactly 17 of those, no more, no less. It is an addicting challenge to walk around looking at buildings, brick walls, people's ties, fabrics, what's not, and to try figure out which of the 17 is each one.

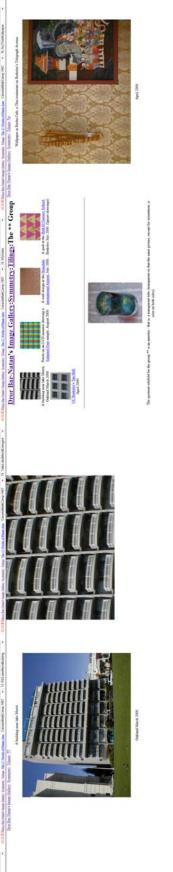
What would history look like if we were living on Venus? What do the ants on Lou Kauffman's tie think? Which symmetry group appears twice in the pictures below?



4-page <u>handout</u>.

More info: <u>http://www.math.toronto.edu/~drorbn/Gallery/Symmetry/Tilings/Talk/CanadaMathCamp-1407.html</u>









Dror Bar-Natan's Image Gallery/Symmetry/Hings/The *222 Group

April 200.

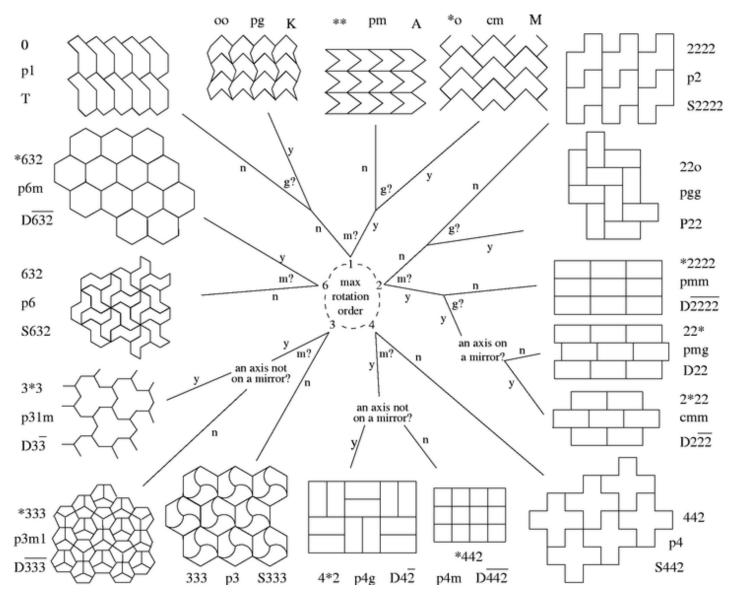




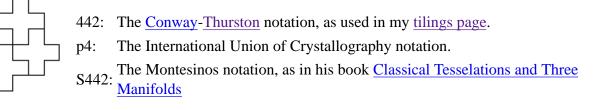
Brian Sanderson's Pattern Recognition Algorithm

Is the maximum rotation order 1,2,3,4 or 6? Is there a mirror (m)? Is there an indecomposable glide reflection $(2)^{2}$

Is there a rotation axis on a mirror? Is there a rotation axis not on a mirror?



Note: Every pattern is identified according to three systems of notation, as in the example below:



For sharper printing, this page is also available as <u>PostScript</u> and as <u>PDF</u>. This page is a modified version of a page by <u>Brian Sanderson</u>. Visit his <u>original page</u>.

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