

Peter's question

January-22-13
9:01 AM

Dotsenko:

$$t_n = \langle t^{ij} \rangle \left\{ \begin{array}{l} [t^{ij}, t^{kl}] = 0 \\ [t^{ij}, t^{ik} + t^{jk}] = 0 \end{array} \right.$$

$S_n \curvearrowright$ character? decomposition?

The answer for the Koszul dual is in a paper by Felder-Veselov:

Coxeter group actions on the complement of hyperplanes and special involutions

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We consider both standard and twisted action of a (real) Coxeter group G on the complement M_G to the complexified reflection hyperplanes by combining the reflections with complex conjugation. We introduce a natural geometric class of special involutions in G and give explicit formulae which describe both actions on the total cohomology $H(M_G, \mathbb{C})$ in terms of these involutions. As a corollary we prove that the corresponding twisted representation is regular only for the symmetric group S_n , the Weyl groups of type D_{2m+1} , E_6 and dihedral groups $I_2(2k+1)$ and that the standard action has no anti-invariants. We discuss also the relations with the cohomology of generalised braid groups.

Pasted from <http://arxiv.org/abs/math/0311190>