

Today an Operad means "coloured operad" - a pair  $(C, P)$ :

$C$  - a set of "colours"

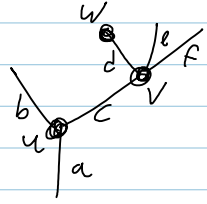
For each sequence  $c_1, \dots, c_n; C$  ( $n \geq 0$ )  
a set  $P(c_1, \dots, c_n; C)$  of "operations"  
w/ std. axioms

(has unit  $1_c$  for every  $c \in C$ )

A  $P$ -algebra is  $\{A_c\}_{c \in C}$  w/...

A Category w/ objects =  $C$  is a "linear only" coloured operad.

A map between coloured operads  
 $(C, P) \rightarrow (D, Q)$   
may change colours?

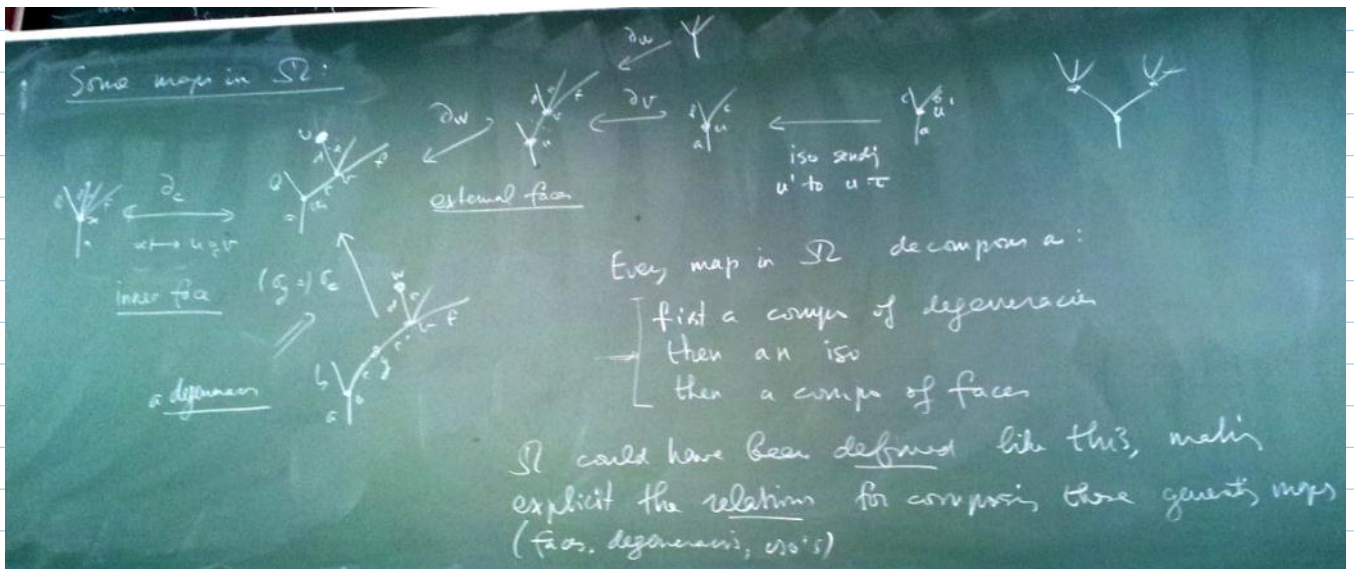
Labeled trees  generate operads

w/ colours = edges

ops  $\leftrightarrow$  generated by verts.

more  
in  
video

There are plenty maps between these operads.



There is an embedding  $\mathcal{D} \hookrightarrow \mathcal{A}$  by

$$[n] \longrightarrow \begin{array}{c} \bullet \\ \bullet \\ \bullet \\ \bullet \\ \bullet \end{array}$$

Def The category  $\mathcal{D}\text{set}$  of "dendroidal sets" is the category of set-valued pre-sheaves on  $\mathcal{A}$ :

$$\mathcal{D}\text{set} = \text{Sets}^{\mathcal{A}^{\text{op}}} = \hat{\mathcal{A}}$$

more in video

"Dendroidal sets are a convenient category for taking nerves of operads, like simplicial sets are for nerves of categories"

"Dendroidal inner Kan complexes"  
— me been outmathed.