

Scratch

April-07-12  
5:14 PM

$$th \mapsto h b^{-1} t h$$

$$R = (1, x) \in F(x, y)$$

$$g m_1^{12} = s w_2^{th} // t m_1^{12} // h m_1^{12}$$

$$g m_1^{12} (a_1 \dots a_n) = (a_1 a_2, a_3, \dots) / \begin{matrix} x_1 \mapsto a_2 x_1 a_2^{-1} \\ 1. x_{1,2} \rightarrow x_1 \end{matrix}$$

$$(a_1 \dots a_n) * (b_1 \dots b_n) = (a_1 a_2, \dots, a_n b_n) / \begin{matrix} x_i \mapsto b_i x_i b_i^{-1} \end{matrix}$$

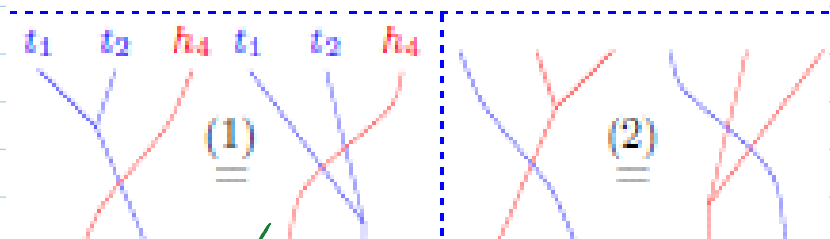
$$(1, x, 1) * (1, 1, x) * (1, 1, y) = \begin{matrix} \boxed{1} \boxed{3} \\ \boxed{2} \end{matrix}$$

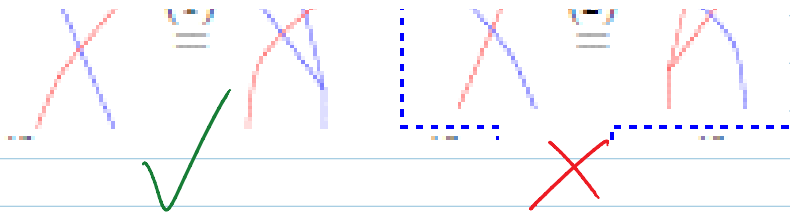
$$= (1, x, x) * (1, 1, y) = (1, x, xy)$$

$$(1, 1, y) * (1, 1, x) * (1, x, 1) = (1, 1, yx) * (1, x, 1)$$

$$= (1, x, yx) \Big|_{y \mapsto xyx^{-1}} =$$

$$= (1, x, xy) \quad \checkmark$$

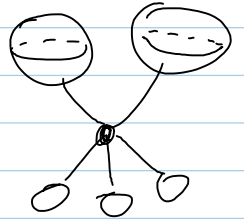




So "n words in  $F_n$ " do not form a meta-bicrossed-product. Though it seems that w-balcons & nooses do make such,

$$x^{yxc} = x \quad x^{-1}y^{-1}cxyx = x$$

$$x = x^{yxc} = (x^{yxc})^{yxc}$$



w-tangles are a completion of some natural subgroup of  $\text{Aut}(F_n)$ , under "allowing the solutions of certain algebraic equations".

... does this make sense?