Q. There are many more Lie bialgebras then there are invariants on K^u or weight systems on A^u. Where do all the other ones go?
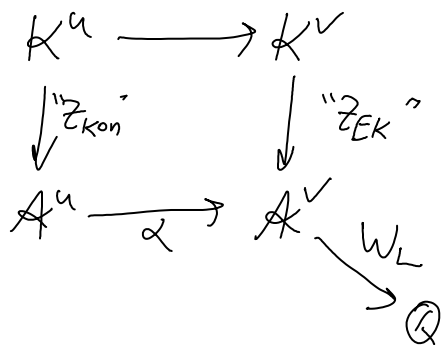
Are many of them the same on A^v?

Does $\alpha: A^u \to A^v$ miss most of them?

Are there many more invarints on K^u then we appreciate?

Am I missing something and many Lie bi'algebras do not lead to knot invariants?

$$K^u \longrightarrow K^v$$
$$\downarrow \text{"}Z_{kon}\text{"} \qquad \downarrow \text{"}Z_{EK}\text{"}$$
$$A^u \xrightarrow{\alpha} A^v \searrow^{W_L} \circledR$$

Even w/o Z_{EK}, any Lie bi'algebra leads to an invariant on K^u.