

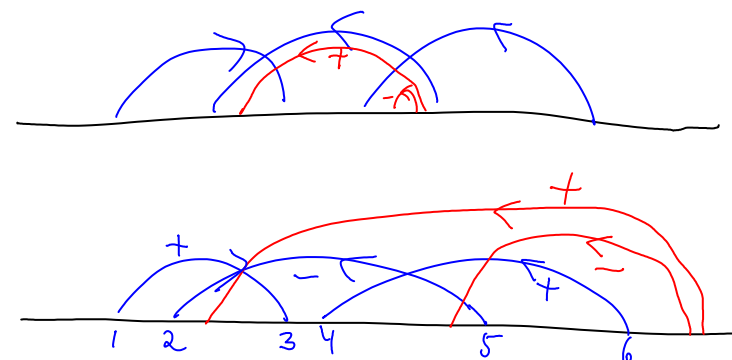
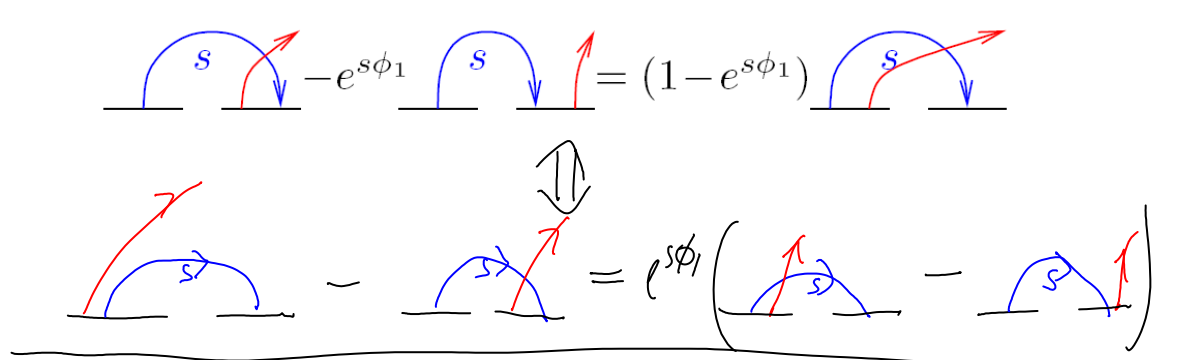
A Brave, New, Sweeping Strategy

September-10-10
3:14 PM

$$\sum_j s_j X^{s_j} \text{tr} \left(R_{l_{n+1}} \right)^{-1} \left[\begin{array}{c|c} (1 & -1) \\ \hline -\uparrow \cdot 0 & -\uparrow \cdot \\ a(h_j) & a(h_j)+1 \end{array} \right] j$$

Can I go back from this to a sweeping strategy? Need to work only up to a unit!

Part of the seed
 standard tail scattering
 The determined object
 The seed
 The trick: Lose track of orientations of short arrows.
 Mystery: (A seed motion?)



By explicit computation, these are not all equal.
 End

$$\left(R_{l_{n+1}} \right)^{-1} = \left(\begin{array}{c|c} M^{-1} & M^{-1}r_{n+1} \\ \hline 0 & 1 \end{array} \right) \begin{array}{c} \mathbb{I} \ 0 \\ 0 \ 0 \end{array}$$

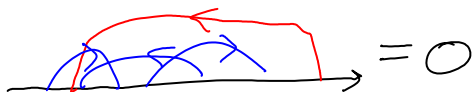
$$(\lambda_{ij}) = \Lambda = \left(R_{l_{n+1}} \right)^{-1} \left(\begin{array}{c|c} \mathbb{I} & 0 \\ \hline 0 & 0 \end{array} \right) = \left(\begin{array}{c|c} M^{-1} & 0 \\ \hline 0 & 0 \end{array} \right)$$

Fishy.

So the ord is always 0.

HW For some simple G.D., say the above, print R & Λ .
 (I know how to compute them, after all!)

Question Interpret $\Gamma = \begin{pmatrix} R \\ \ell_{n+1} \end{pmatrix}^{-1}$ in terms of Λ .
Might be the wrong question!

The " ℓ_{n+1} " stands for  = 0

Column j of Γ means "head at j ".

$$\begin{pmatrix} R \\ \ell_{n+1} \end{pmatrix} \begin{pmatrix} \lambda_{11} & \dots & \lambda_{1n} \\ \vdots & & \vdots \\ \lambda_{n+1,1} & \dots & \lambda_{n+1,n} \end{pmatrix} = \underbrace{\begin{pmatrix} D_L & \dots & D_L \end{pmatrix}}_n \left. \vphantom{\begin{pmatrix} D_L & \dots & D_L \end{pmatrix}} \right\}^{n+1}$$

Perhaps I need to start by having an interpretation
 of the X^S factors.