pA=Zw?

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1:35 AM

The question speaks for itself. (and is asked on $\mathcal{K}^W$)

But let it speak some more—

I know $pA = Z^W$ are both filtered invariants of W-knots, and I know that the agree on U-knots, meaning on even wheels. Do they also agree on odd wheels?

The only evidence I have for that equality is the likely relationship with the Alexander polynomial of Habiro-Kanenobu-Shima (HKS):

$$pA \overset{?}{=} A^{HKS} \overset{?}{=} Z^W$$

both are determinants with origins in Wirtinger

both are UFTI for W-knots.