Maybe the trick would be to mix u & v inside the same structure? Connect-sum will then be well-defined, in the appropriate circumstances.

$\xrightarrow{\text{some unzips}}$

the snake lemma

some
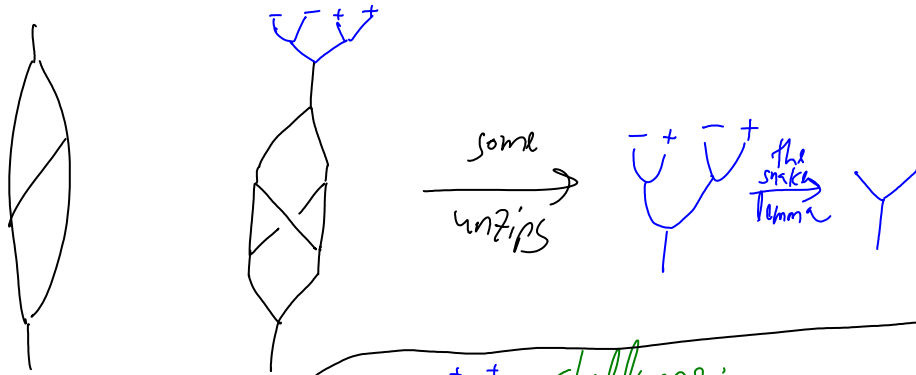
challenge: Say "$\bar{r}\bar{r}^{*} = 1$".

How get λ'? presumably from
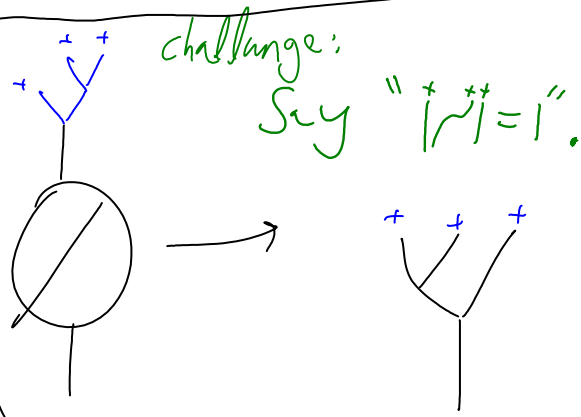
The Horw shape:

This idea might have to be amended somehow, so as to explain why at the end we only get invariance under braid-like R-moves.
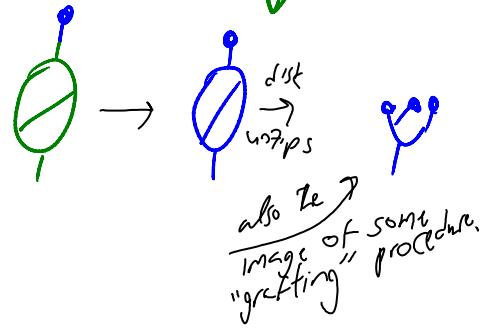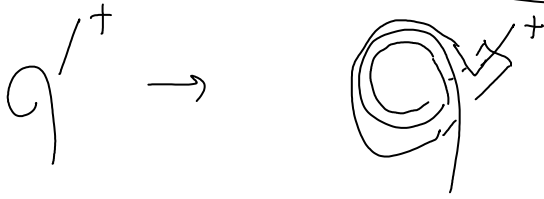
challenge: Say "$\bar{r}\bar{r}^{*} = 1$". Very possibly, in order to resolve this, we'd have to study mixed structures in another sense — mixing K & A.

1^{+} $\times^{+}$ May 13

In another sense — mixing K & $\overline{K}$.

$q^{/+} \rightarrow$ $\not{q}^{+}$

$\rightarrow$ disk $\rightarrow$ unzips

also 2e
image of some
"grafting" procedure.

May 13
answer: