

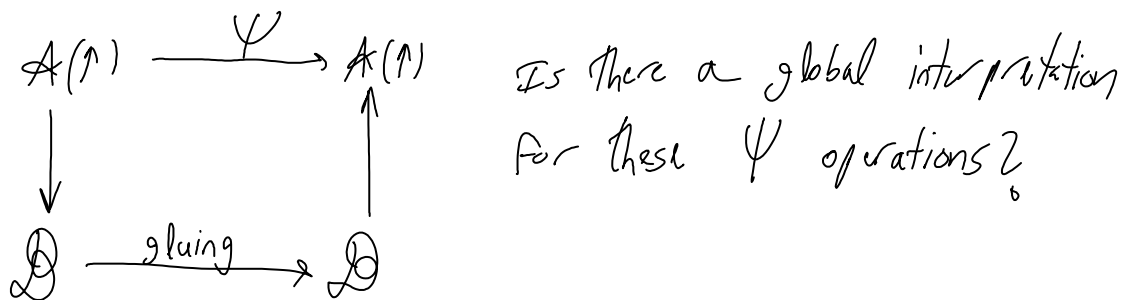
$YT/6T$  are not "local" (also XII)

$STU, IHX$  are.

$\vec{A}^{vt}$  is almost local; I wish I knew how to get rid of the acyclicity condition.

$\vec{A}^{wt}$  is local.

Is the Aarhus/LMO map  $A(\uparrow) \rightarrow A(\emptyset)$  induced by something global?



In particular, "glue just one strand" is a map  $A_n(\uparrow) \rightarrow A_{n-1}(\uparrow)$ . What is it? Can it be computed/defined with less than the full PBW machine?

will it be fun to compute the PBW tree combination?

$$| + e \begin{array}{c} \diagup \\ \diagdown \end{array} + e \begin{array}{c} \diagdown \\ \diagup \end{array} + \begin{array}{c} \diagup \\ \diagdown \\ \diagup \\ \diagdown \end{array} \epsilon_{S_k} \quad \left( \begin{array}{l} \text{presumably the} \\ \text{coeffs will have} \\ \text{something to do} \\ \text{with the descent} \\ \text{of } \sigma \end{array} \right)$$

When facing a complicated operation, the trick, often, is not to compute it but rather understand the complete "algebra" of such operations.

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There is a canonical map  $A(\uparrow) \rightarrow A(\uparrow \circ)$ . What is it and what does it mean? What is  $A(\uparrow \circ)$ ?

Funny, this is the space  
of "link relations".