

- Nice things:
- 0-ary ops are "nullary"
 - A "meadow" is like a field except the axiom about multiplicative inverses is replaced with $\forall x \exists x^{-1} \quad x x^{-1} x = x$.
 \uparrow
 not just $x \neq 0$

Def A monad is a functor

$$T: \text{Set} \rightarrow \text{Set} \quad \left(\begin{array}{l} \text{mapping } X \text{ to the} \\ \text{"free gadget on } X" \end{array} \right)$$

$$T(TX) \xrightarrow{\mu_X} TX \quad \mu \text{ is a "natural trans."}$$

(precisely, μ is a natural trans.)

$$T^2 \rightarrow T$$

Bad:

- * There is no monad for fields. (+ more, + conditions)
- * Monads do describe compact Hausdorff spaces;
 T is "Stone-Cech".

Lawvere theories